

Įvadas

1. SUPERJONINIŲ KRISTAŲ STRUKTŪROS

- 1.1. Retoji jonų sanglauda Ag⁺ superjonikų kristalinėse struktūrose
- 1.2. Kristalinės V_O⁻, Na⁺, H⁺ superjonikų struktūros
- 1.3. Netvarkios Li⁺ superjonikų struktūros

2. JONINIS SUPERJONIKŲ LAIDUMAS IR POLIARIZACINIAI REIŠKINIAI

- 2.1. Taškiniai Frenkelio ir Šotkio defektai superjonikuose.
- 2.2. Stabilizuojančiųjų Y₂O₃ priemaišų įtaka elektrinėms ZrO₂ keramikų savybėms

3. SUPERJONINIŲ JUNGINIŲ ELEKTRINIŲ SAVYBIŲ TYRIMO METODAI

- 3.1. Joninio laidumo sando ir dielektrinės skvarbos tyrimo metodai elektriniuose žemojo ir aukštojo dažnių laukuose
- 3.2. Superjonikų elektrinių savybių tyrimo metodai mikrobanguose elektriniuose laukuose

4. DINAMINĖS SUPERJONIKŲ SAVYBĖS

- 4.1. Dielektrinės skvarbos ir elektrinio joninių ir superjoninių kristalų laidumo priklausymai nuo elektrinio lauko dažnio aprašas
- 4.2. Relaksacinė superjonikų joninio laidumo dispersija
- 4.3. Relaksacinė ir rezonansinė σ ir ϵ dispersijos Li⁺ superjonikuose

5. SUPERJONINIŲ JUNGINIŲ TAIKYMAS

Superjoniniai akumulatoriai

.Kuro gardelės

Deguonies siurbiai

Deguonies dujų jutikliai

Anglies monoksido dujų jutikliai

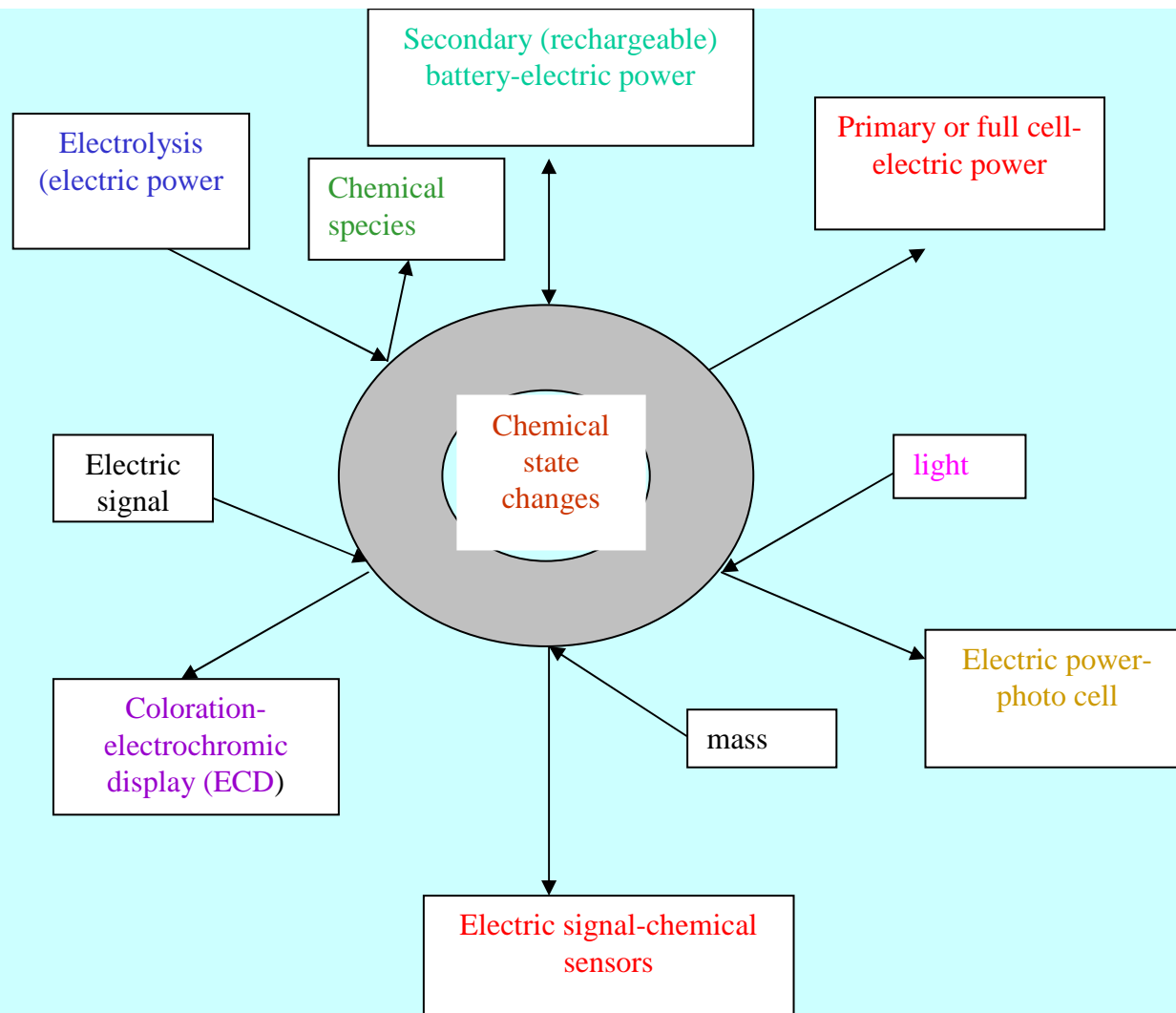
Anglies dioksido dujų jutikliai

Jonistoriai

Literatūra

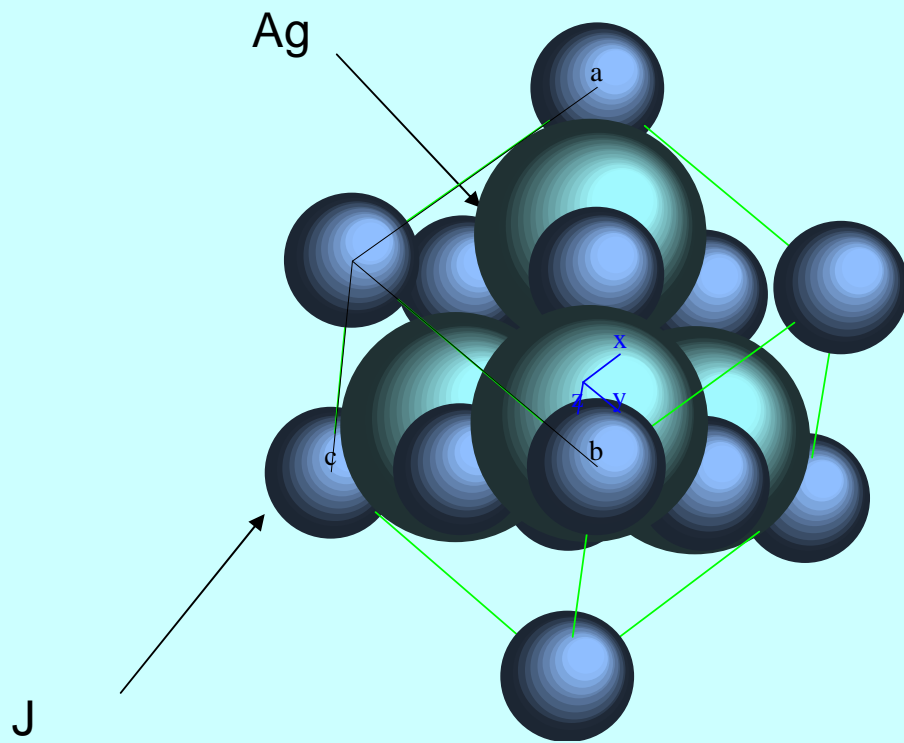
1. Tetsuichi Kudo and Kazuo Fueki “*Solid State Ionics*”, Kadansha, 1990.
2. M.B. Salamon “*Physics of Superionic Conductors*”, Springer-Verlag Berlin Heidelberg, New York, 1979.
3. V. Grivickas, A.F.Orliukas, A. Žindulis, S. Tamulevičius, Medžiagų mokslas, ProgreTus, Vilnius, 2008.
4. A.F. Orliukas, “*Superjoniniai laidininkai*”, Vilnius, VUL, 2004.
5. V.V.Kharton, „Solid State Electrochemistry I“, Fundamentals, Materials and their Applications, Wiley-Vch Verlag GmbH&Co. KGaA,2009.
6. John O’M. Bockris, Amulys K. N. Reddy, Maria Gambos- Aldeco, *Modern Electrochemistry (Fundamentals of electroDics)*, (Kluwer academic publishers, New York, Boston, Doldrecht, London, Moscow, 2002).
7. Anthony R. West „Solid State Chemistry and its Applications“, John Wiley & Sons Ltd., Reprinted 1990.
8. A.K. Jonscher „Dielectric relaxation in solids“, Chelsea Dielectrics Press, London, 1996.
9. F. A. Karamov, „Superionic Conductors, Cambridge International Science Publishing,2008.
10. J.Kawamura, S. Yoshikado, T. sakuma, Y. Michihiro, M. Aniya, Y. Ito, „Superionic Conductor Physics“,World Scientific, 2007.

Paruošė prof. A.F.Orliukas

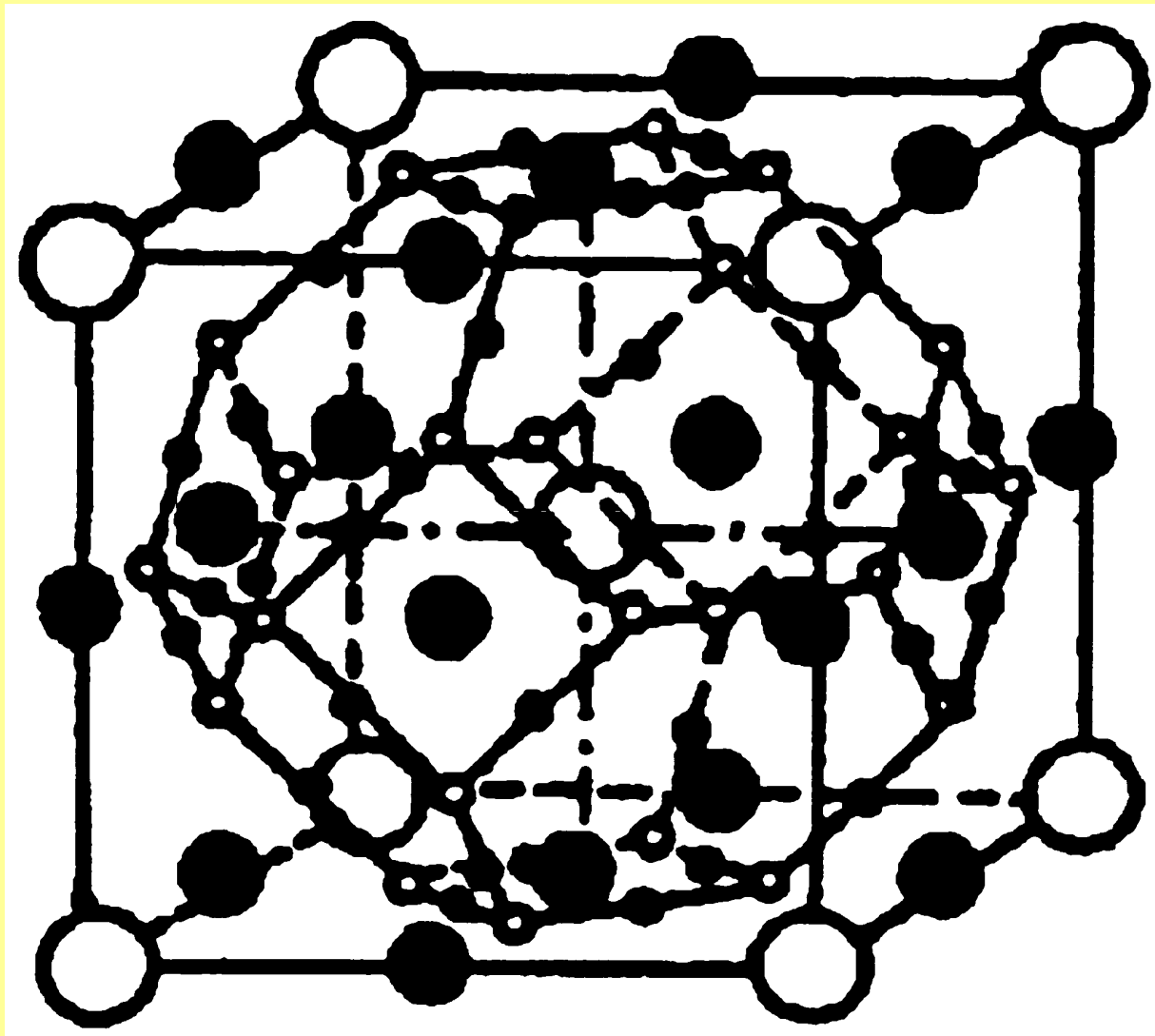


Electrochemical devices
 agree T. Kudo, K. Fueki, SSI, 1990

1833	Faraday's Law
1897	ZrO₂ glower (Nernst)
1920	High ionic conduction in α-AgI
1933	Diffusion theory of lattice defects
1934	Ion transport mechanism for α-AgI
1943	Ionic conduction theory for ZrO₂
1962	High temperature fuel cell using ZrO₂
1967	β-alumina, Rb Ag₄I₅
1969	Electro-chromism in WO₃
1970	Electric double-layer capacitors (ionistor)
1970	Electrochemical memory devices
1972	Solid state Li battery, memoriode
1976	NASICON secondary battery using TiS₂ intercalation
1979	High Cu⁺ conductor Organic polymer solid-electrolyte
1981	Plastic battery
1983	Commercial ECD
Future prospects of SSI Neuron fiber	
Bio-computer system	

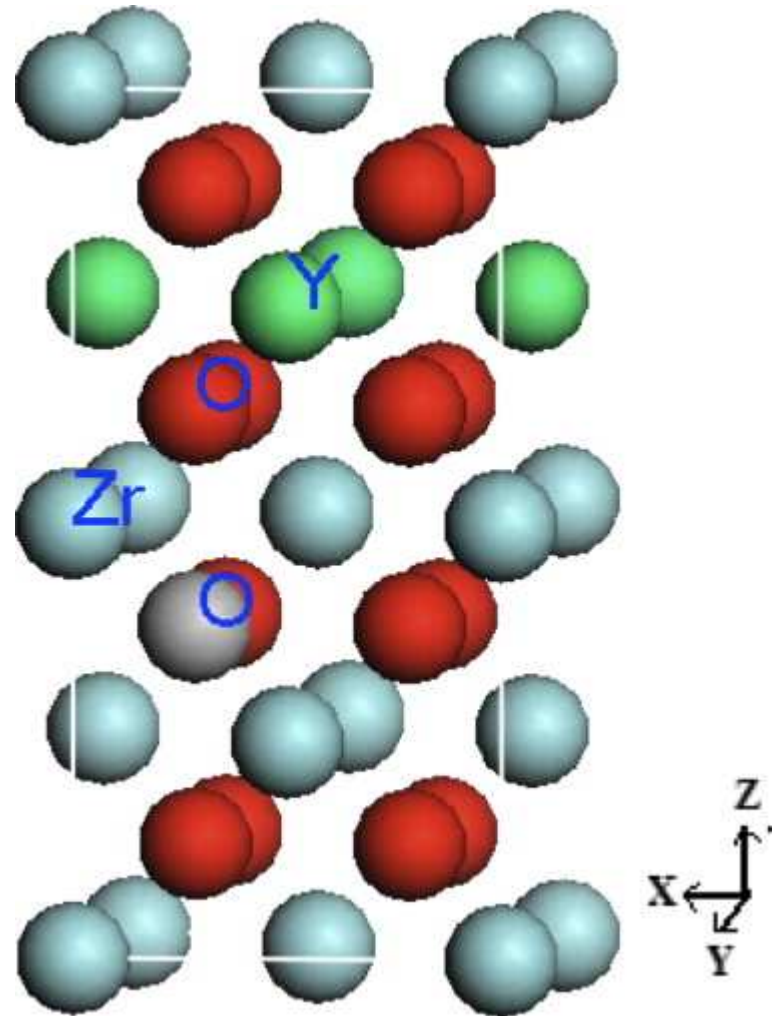


α -AgJ structure

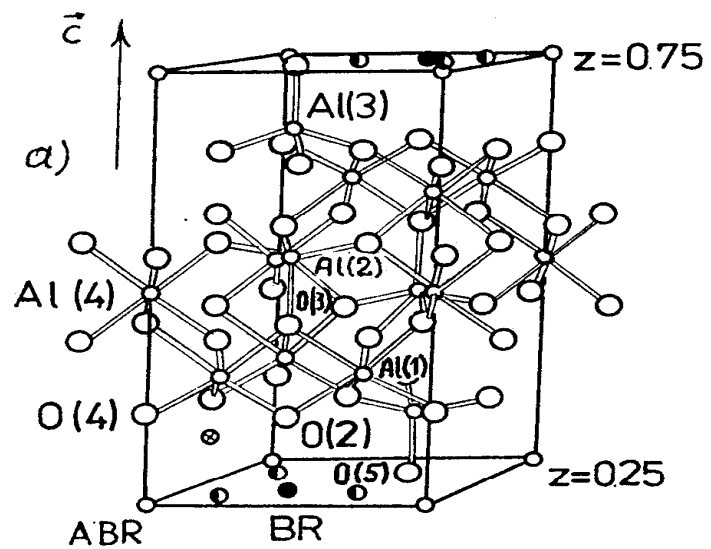


○ - ○ - ● - ● -
J d h b α -AgJ lattice

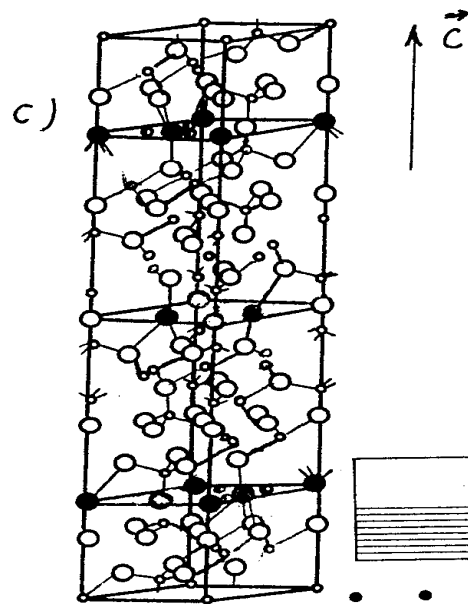
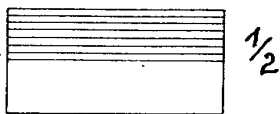
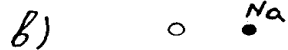
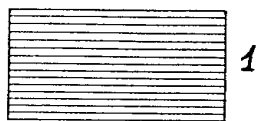
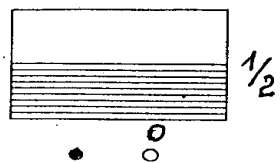
In the lattice of α -AgI are d-12, b-6 and h-24 energy positions for diffusion of 2 Ag ions.



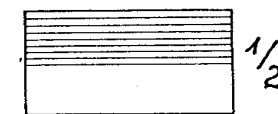
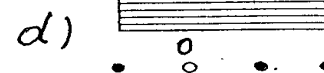
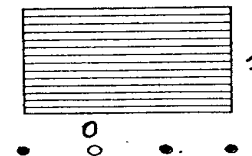
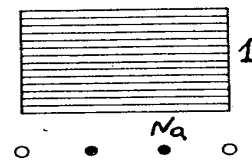
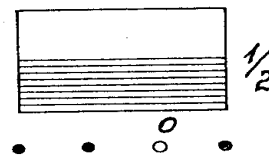
YSZ

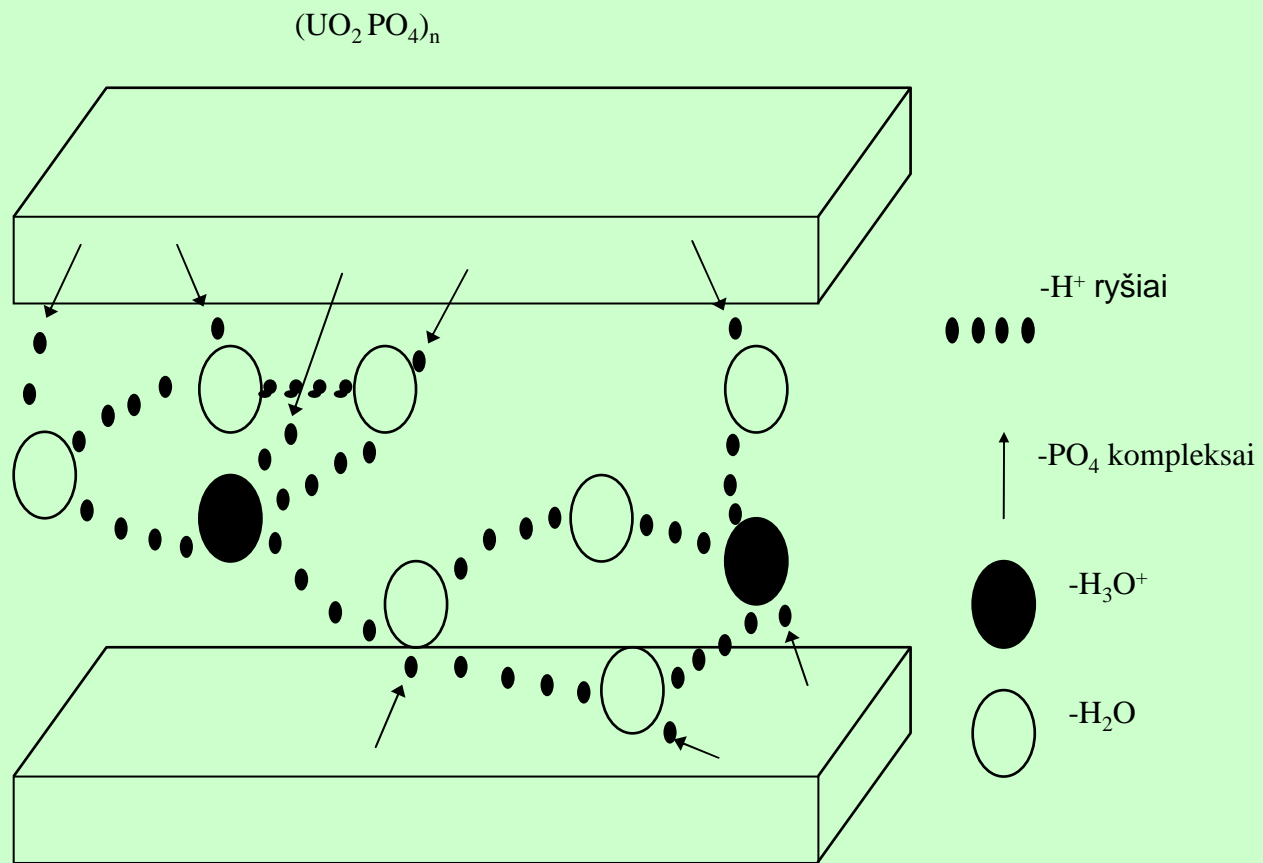


- BR
- ABR
- mO
- O

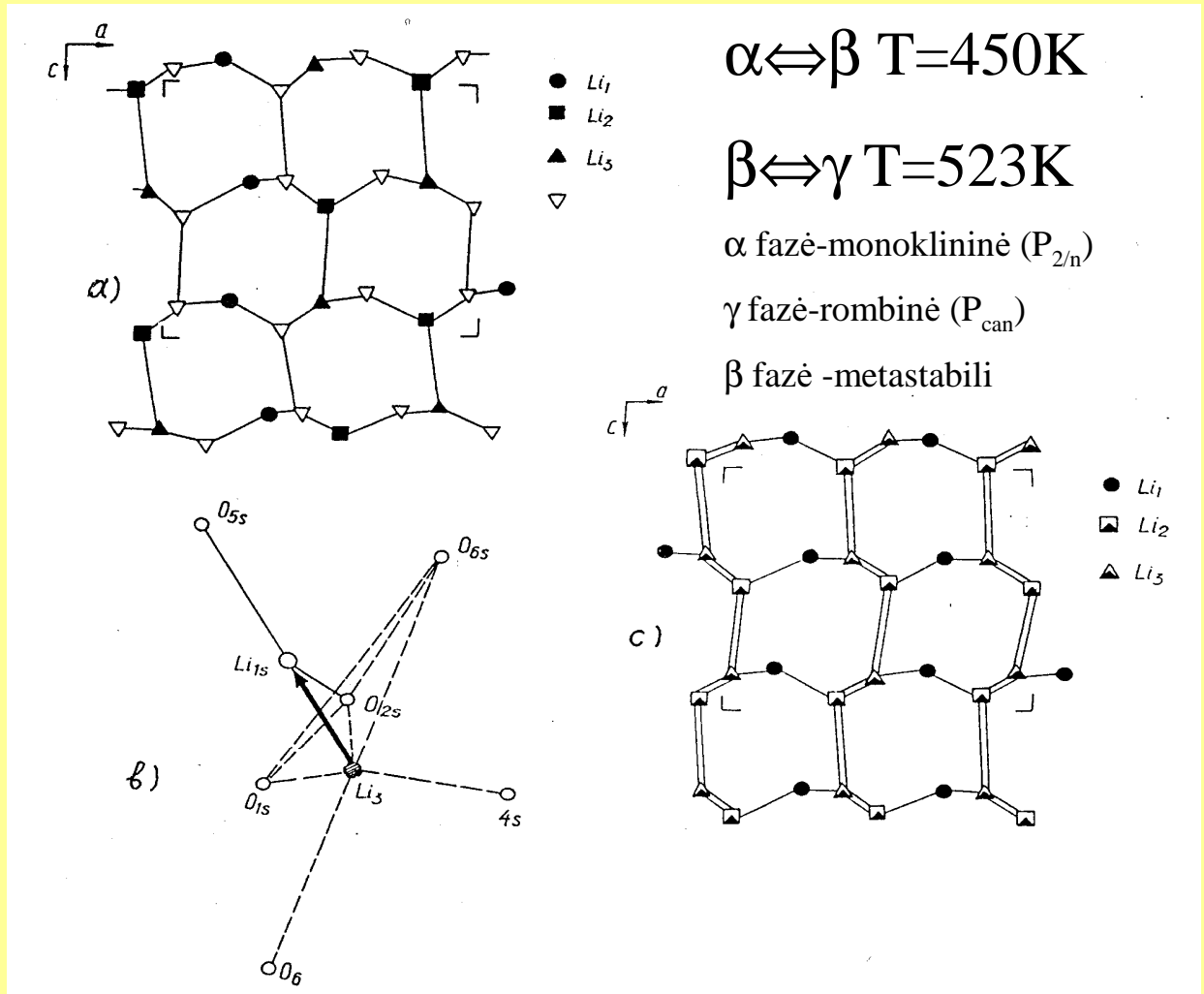


- O
- Al
- Na
- mO

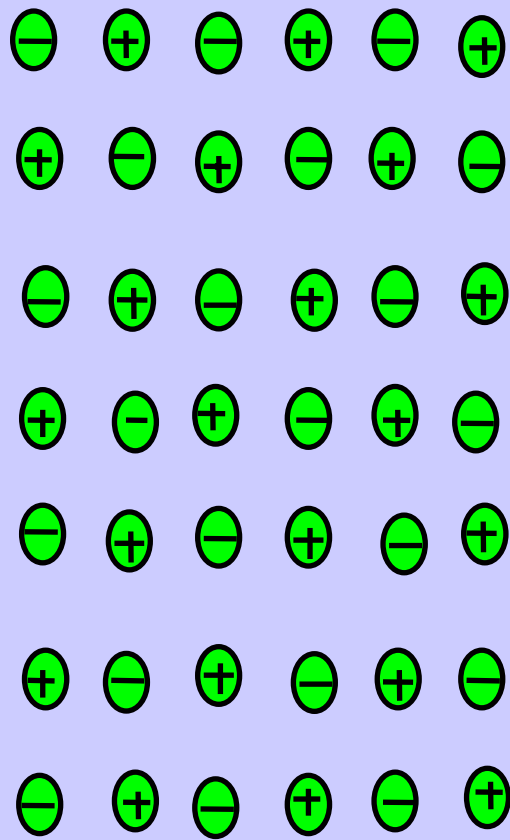




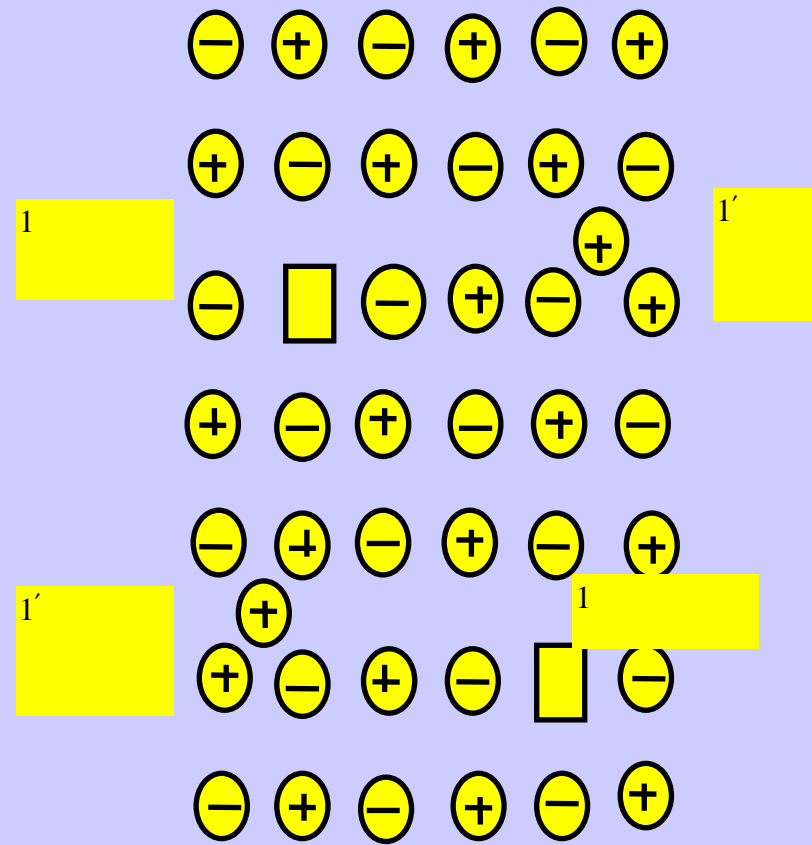
HUP structure



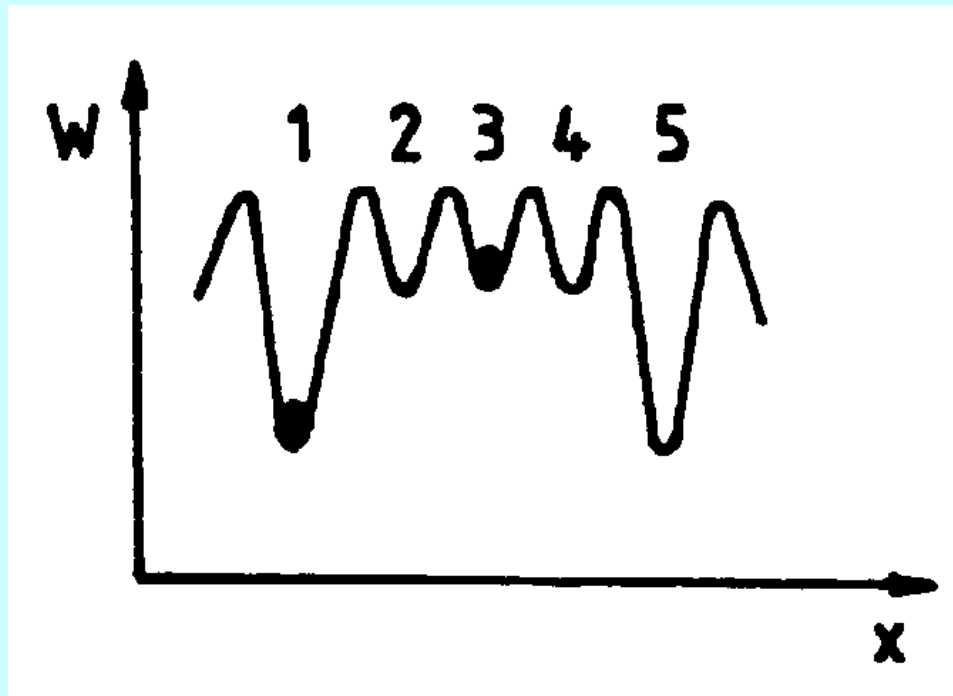
a) α - $\text{Li}_3\text{Fe}_2(\text{PO}_4)_3$ Li^+ ion map on the (010) plane, b) oxygen window in β phase on the (001) plane, c) γ - $\text{Li}_3\text{Fe}_2(\text{PO}_4)_3$ Li^+ ion map on the (010) plane



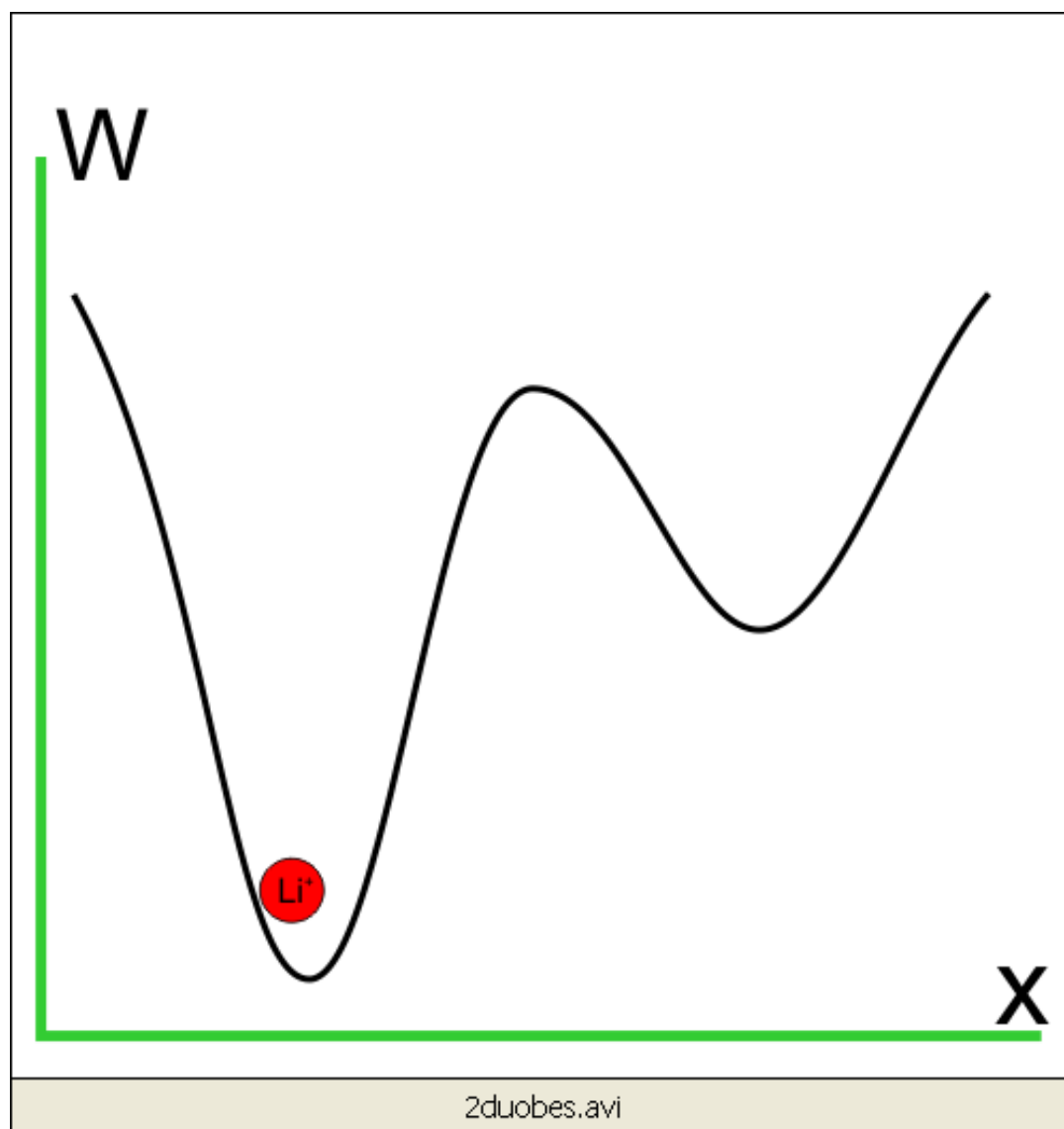
Ideal lattice



Point Frenkel -type defects



The energy relief of of ions in the lattice with the point Frenkel –type defects



Point Frenkel - type defect

$$N_j = N_v$$

$$F = N_F \cdot G_F - T \cdot S$$

$$G_F = H_F - T \cdot S_F$$

$$P_1 = \frac{N'}{(N' - N_F)! N_F!}$$

$$P_2 = \frac{N!}{(N - N_F)! N_F!}$$

$$S = k \ln P \quad P = P_1 \cdot P_2$$

$$S = k(\ln P_1 + \ln P_2) = k \ln \left\{ \frac{N'}{(N' - N_F)! N_F!} \cdot \frac{N!}{(N - N_F)! N_F!} \right\} \quad 1 \ll N_F \ll N, N'$$

$$\ln x! \approx x \ln x - x$$

$$k = 1,38 \cdot 10^{-23} \text{ J} \cdot \text{K}^{-1}$$

$$\ln = \frac{N'}{(N' - N_F)! N_F!} = \ln(N' - N_F)! - \ln N_F! =$$

$$= N' \ln N' - N' - (N' - N_F) \ln(N' - N_F) + (N' - N_F) - N_F \ln N_F + N_F =$$

$$= N' \ln N' - N' \ln(N' - N_F) + N_F \ln(N' - N_F) - N_F \ln N_F$$

$$\ln = \frac{N!}{(N - N_F)! N_F!} = N \ln N - N \ln(N - N_F) +$$

$$+ N_F \ln(N - N_F) - N_F \ln N_F; \quad \left(\frac{\partial F}{\partial N_F} \right) = 0$$

$$\frac{S}{k} = N \ln N - N' \ln N' - 2N_F \ln N_F -$$

$$- (N' - N_F) \ln(N' - N_F) - (N - N_F) \ln(N - N_F)$$

$$-\frac{G_F}{kT} = 2 \ln N_F - \ln(N - N_F) - \ln(N' - N_F)$$

$$N_F \ll N, N'$$

$$N_F^2 = (N - N_F)(N' - N_F) \exp\left(-\frac{G_F}{kT}\right)$$

$$N_F^2 = NN' \exp\left(-\frac{G_F}{kT}\right)$$

$$N_F = \sqrt{NN'} \exp\left(-\frac{G_F}{2kT}\right)$$

N'-j. tarpmazgiuose;

N-j. mazguose;

P₁-j. pasiskirstymo tikimybe;

P₂-vakansiju pasiskirstymo tikimybe;

S_F=ΔQ/T; H_F=U+pV.

Stirlingo formulė

N_j-concentration of ions

N_v-concentration of vacancies

N_F-concentr. of p.Frenkel def.

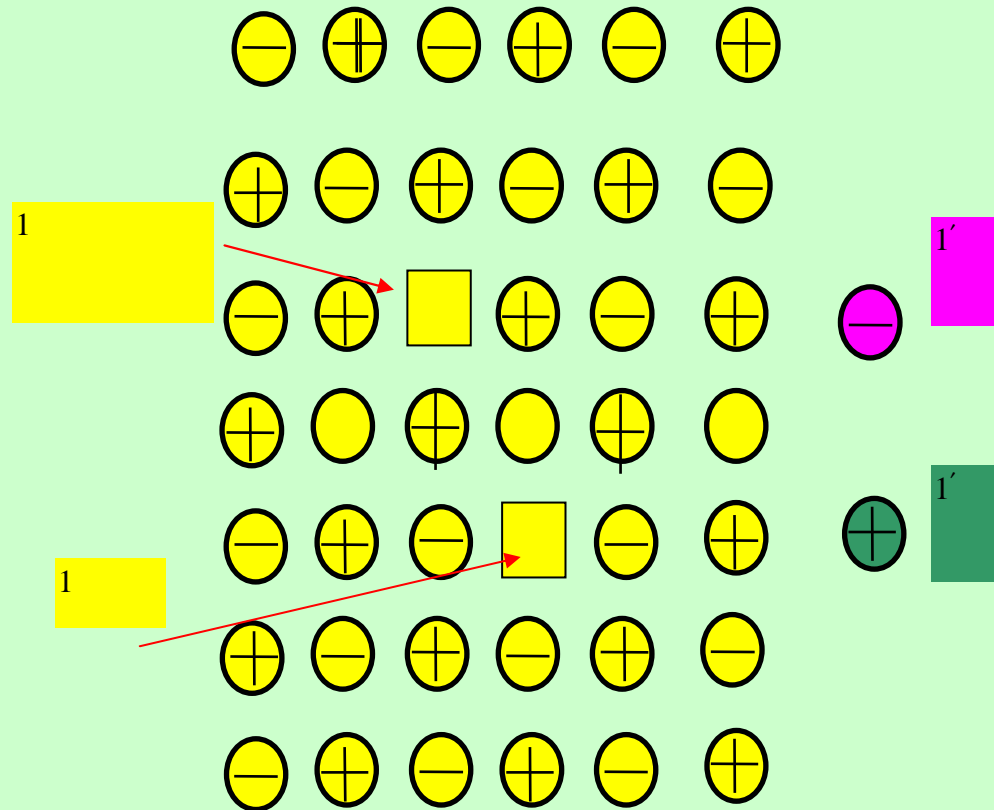
F-free energy of lattice

G_F-Gibbs energy

S-entropy S=δQ/T

H_F-enthalpy H=TS+pV

P₁, P₂-probabilities



Point Schottky-type defects

Point Schottky-type defect

$$F = N_s \cdot G_s - T \cdot S$$

$$G_s = H_s - T \cdot S_s$$

$$P = \frac{N!}{(N - N_s)! N_s!}$$

$$S_s = k \ln P = k \ln \frac{N!}{(N - N_s)! N_s!}$$

$$G_s = T \frac{\partial S_s}{\partial N_s}$$

$$\frac{\partial S_s}{\partial N_s} = k \ln \frac{N}{N_s}$$

$$\frac{G_s}{k \cdot T} = \ln \frac{N}{N_s}$$

$$N_s = N \exp\left(-\frac{G_s}{k \cdot T}\right)$$

F-free energy of the lattice

N_s -concentr. of p.Schottky defects

N-concentration of the ions in lattice

T-temperature

P-probability

G_s -Gibbs energy

The substitution of M^{3+} and M^{2+} ions in $\text{LiTi}_2(\text{PO}_4)_3$ solid electrolytes

The values of the ionic radius are: $\text{Ti}^{4+} = 0.6$, $\text{Sc}^{3+} = 0.81$, $\text{Fe}^{3+} = 0.76$, $\text{Y}^{3+} = 0.93$, $\text{Al}^{3+} = 0.5$, $\text{Ge}^{4+} = 0.53$, $\text{Cr}^{3+} = 0.69$, $\text{Mg}^{2+} = 0.65 \text{ \AA}$.

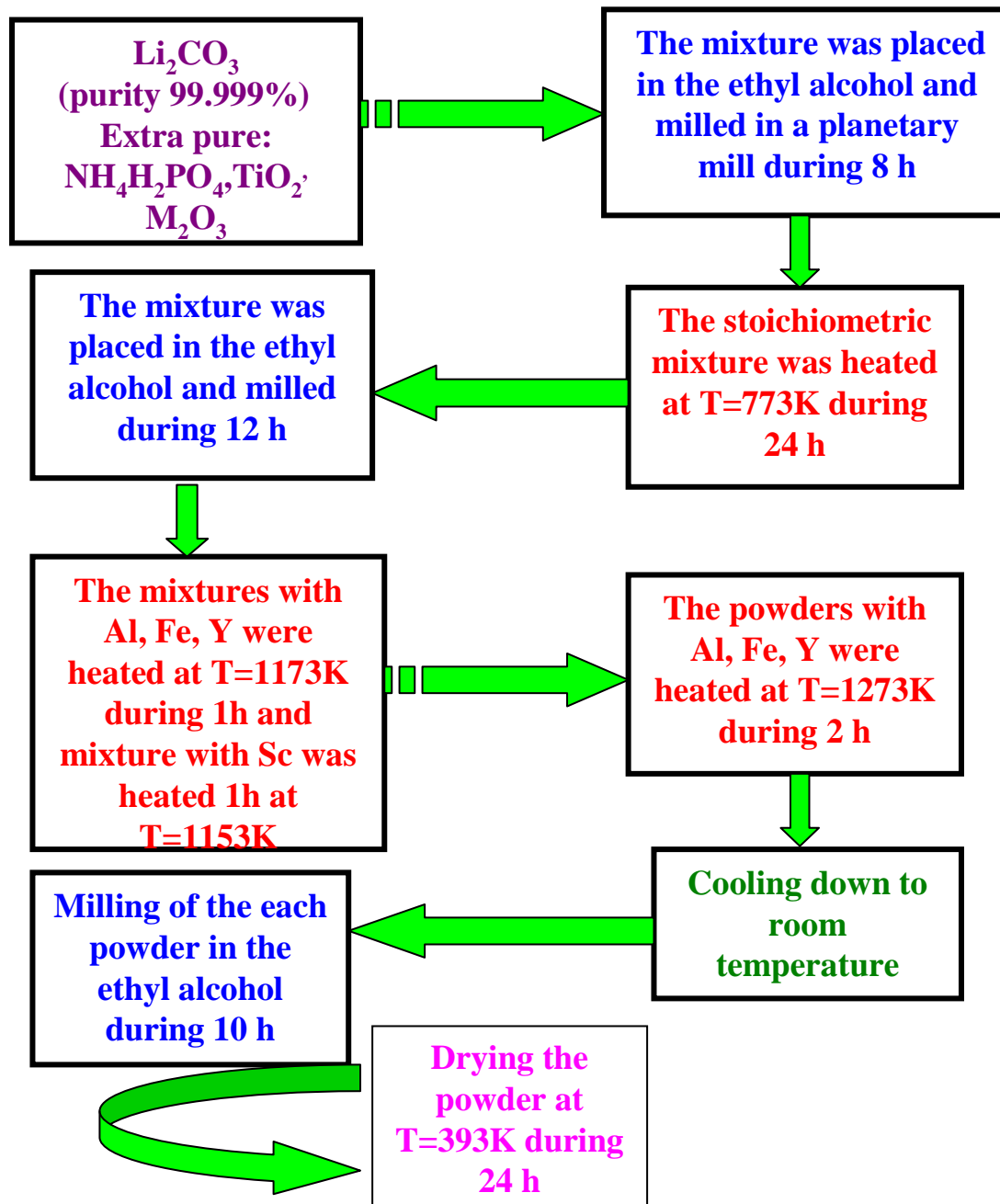
The compounds at room temperature belongs to the rhombohedral symmetry
(.S.G. $R\bar{3}c$) $Z=6$

The substitution $\text{Ti}^{4+} \rightleftharpoons \text{M}^{3+} + \text{Li}^+$ realize in the compounds $\text{Li}_{1+x}\text{M}_x\text{Ti}_{2-x}(\text{PO}_4)_3$ Where $\text{M} = \text{Sc}, \text{Al}, \text{Fe}, \text{Y}, \text{La}$, $x = 0.3$.

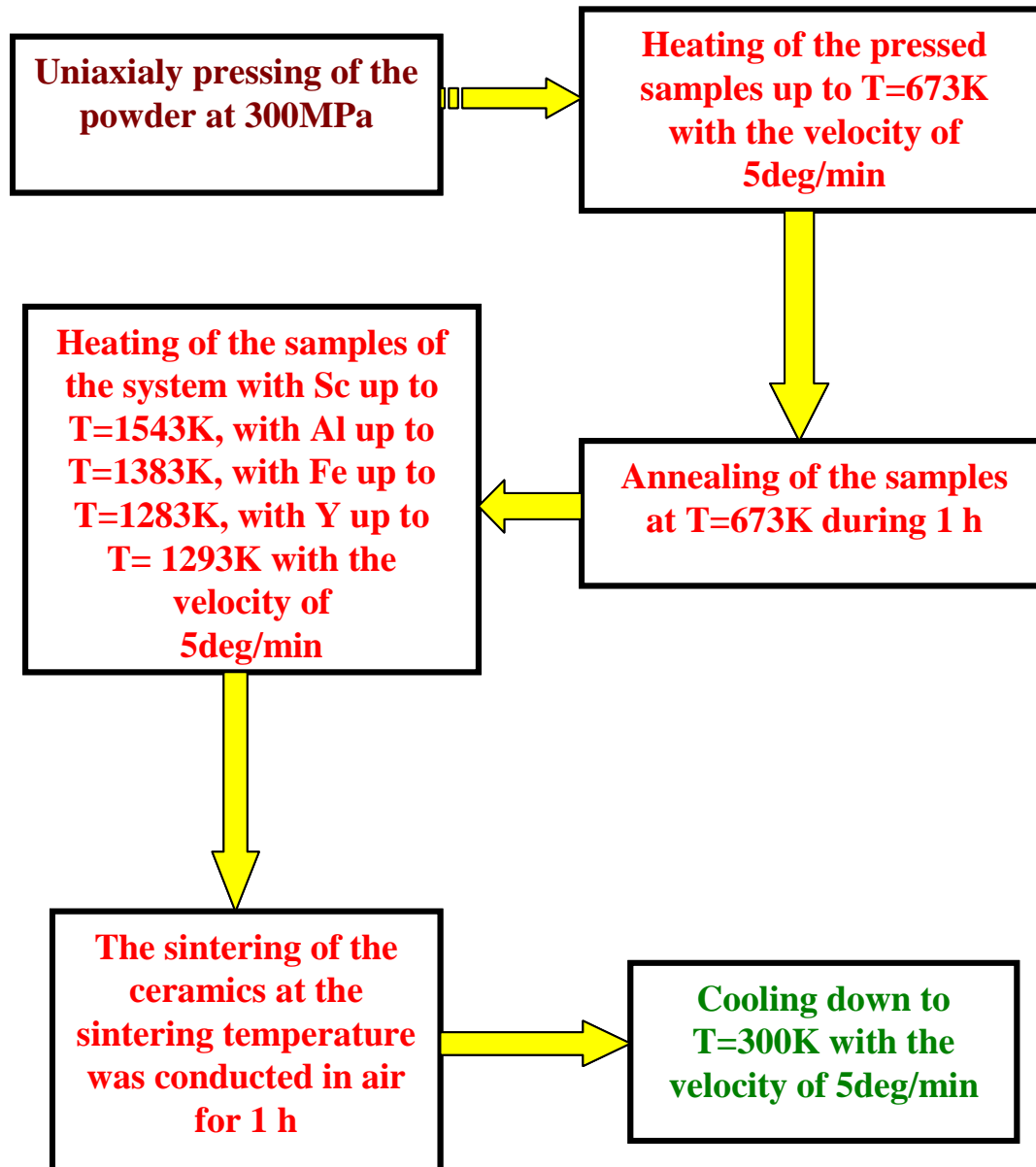
The substitution $\text{Ge}^{4+} \rightleftharpoons \text{M}^{3+} + \text{Li}^+$ realize in the compounds $\text{Li}_{1+x}\text{Ge}_{2-x}\text{M}_x(\text{PO}_4)_3$ Where $\text{M}_x = \text{Al}_{0.5}, \text{Cr}_{0.3}$.

The substitution $\text{Ti}^{4+} \rightleftharpoons \text{M}^{2+} + 2\text{Li}^+$ realize in the compounds $\text{Li}_{1+2x}\text{M}_x\text{Ti}_{2-x}(\text{PO}_4)_3$ Where $\text{M}_x = \text{Mg}_{0.3}$.

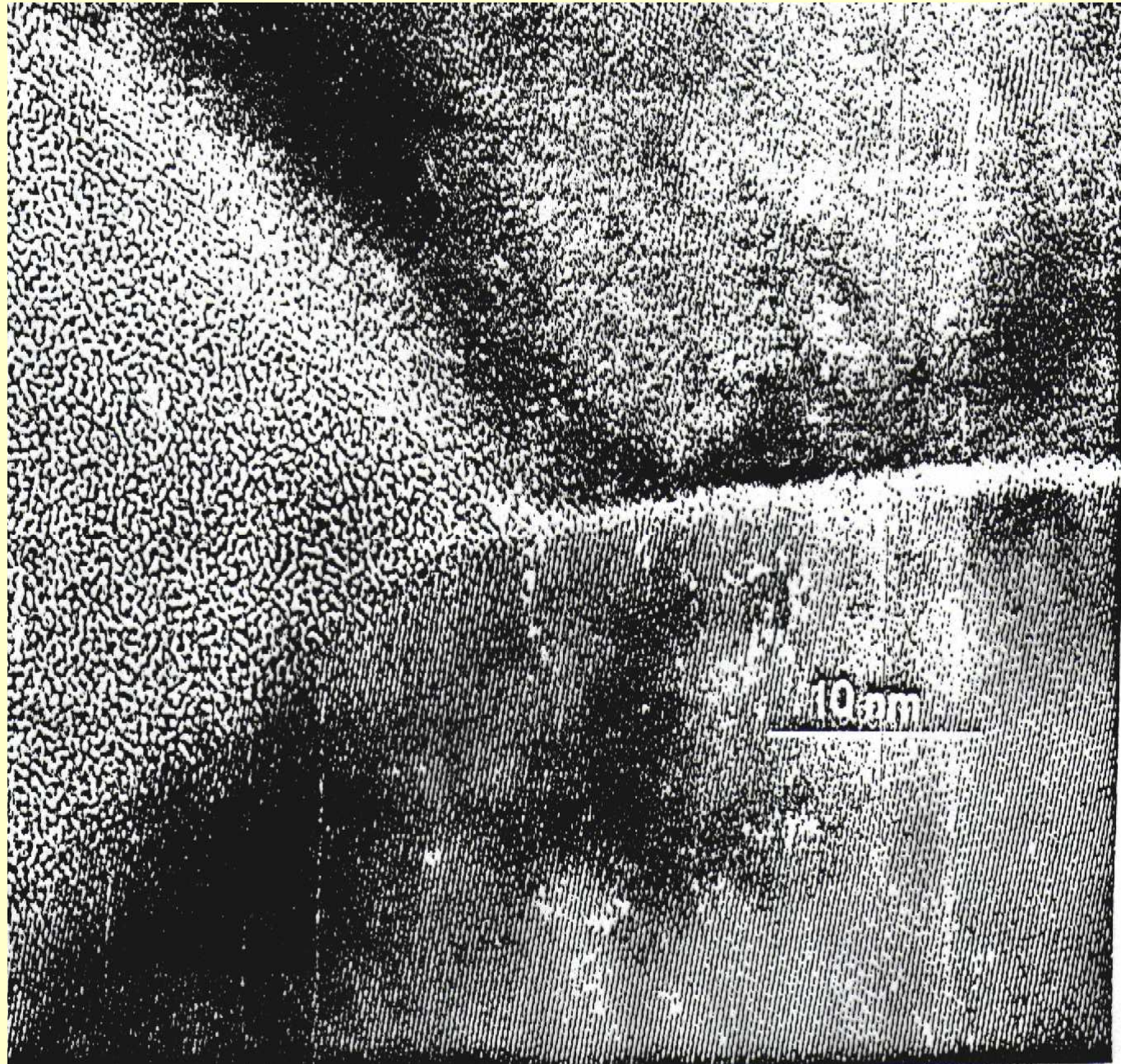
Synthesis conditions of the $\text{Li}_{1+x}\text{M}_x\text{Ti}_{2-x}(\text{PO}_4)_3$ (where $\text{M}=\text{Sc}, \text{Al}, \text{Fe}, \text{Y}; x=0.3$) compounds by a solid phase reaction



Sintering of the $\text{Li}_{1+x}\text{M}_x\text{Ti}_{2-x}(\text{PO}_4)_3$ (where M=Sc, Al, Fe, Y; x=0.3) ceramics



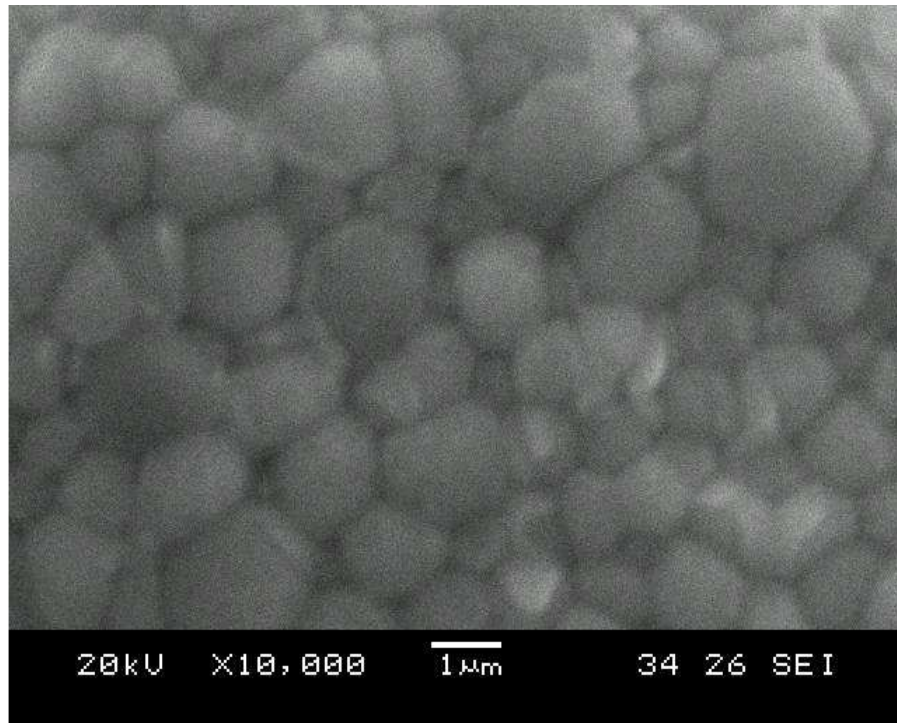
In 1938, Stefan Brunauer, Hugh Emmett and Edward Teller published an article about the BET theory in a journal for the first time; “BET” consists of the first initials of their family names. [BET (m²/g)].



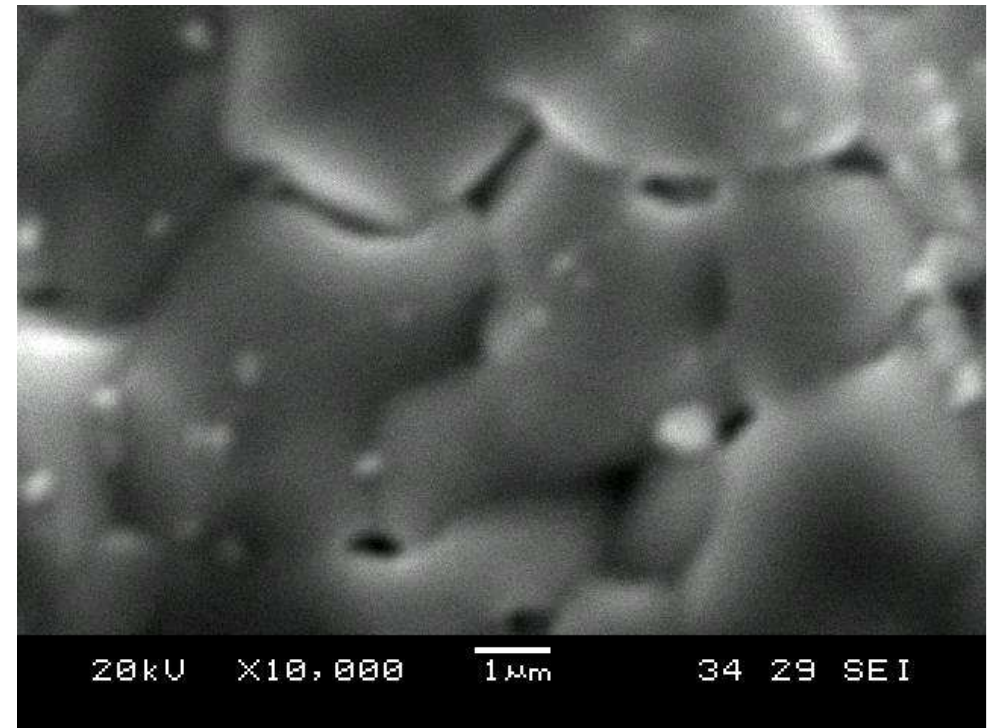
YSZ, GDC, SDC composition, S_{BET} of the powder theoretical and relative densities of the ceramics.

Composition	S_{BET} , m ² /g	$D_{\text{theoretical}}$ g/cm ³	d , %
Gd _{0.2} Ce _{0.8} O _{1.9}	220	7.24[3]	95.0
Sm _{0.2} Ce _{0.8} O _{1.9}	212	7.15[1]	94.0
Sm _{0.15} Ce _{0.85} O _{2-δ}	195	7.22[5]	94.0
Sm _{0.15} Ce _{0.85} O _{1.925}	203	-	94.0
Sm _{0.15} Ce _{0.85} O _{1.925}	8	-	92.0
Gd _{0.1} Ce _{0.9} O _{1.95}	6.44	7.21[2]	97.0
Gd _{0.1} Ce _{0.9} O _{2-δ}	201	-	95.0
92 mol% ZrO ₂ 8 mol% Y ₂ O ₃	1.67	5.96[4]	97.0
92 mol% ZrO ₂ 8 mol% Y ₂ O ₃	12.4	-	95.0

1. H.B.Li et al. Acta Mater. 54(2006)721; 2. K.Huang et al. J. Amer. Ceram. Soc. 81(1998)357; 3. G.Chiadeli et al. Sol. State Ioncs, 176(2005)1505; 4. H.Liu et al. Mat. And Design, 31(2010)2972; 5. C.Jiang et al. Power Sources, 165(2007)134.

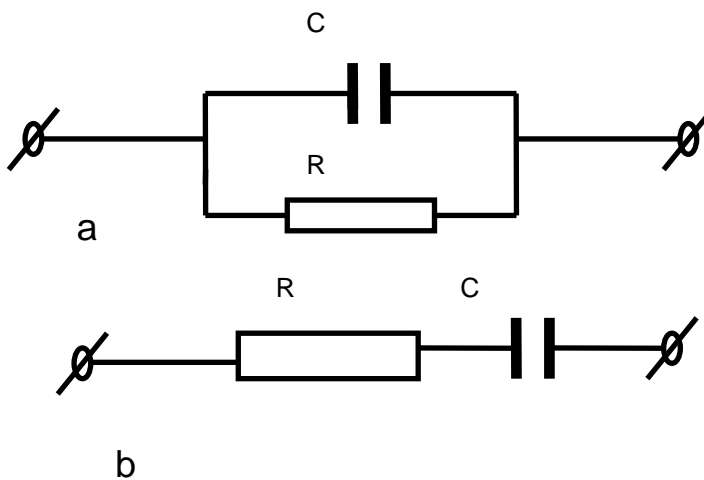


a)



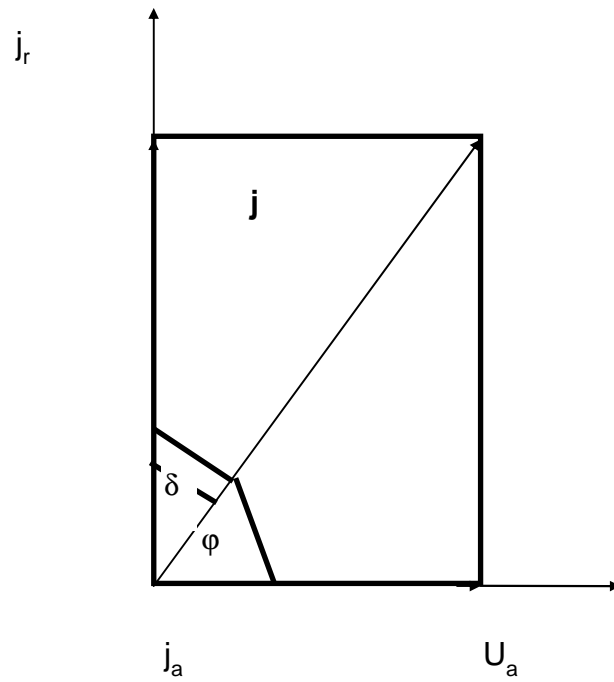
b)

SEM images of $\text{Ce}_{0.9}\text{Gd}_{0.1}\text{O}_{1.95}$ ceramics sintered from powder with $S_{\text{BET}} = 158.03 \text{ m}^2/\text{g}$ (a) and $S_{\text{BET}} = 6.44 \text{ m}^2/\text{g}$ (b)

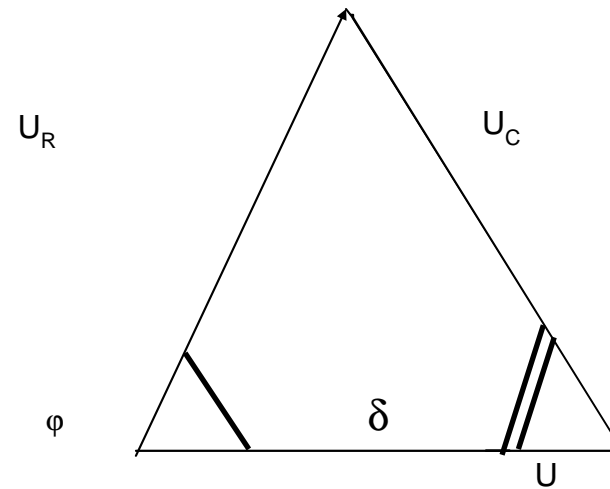


Vektrinės diag-ra-mos: sro-vių,
Lygiagrečios RC grandinės atveju

$$\operatorname{tg}\delta = \frac{j_a}{j_r} = \frac{\epsilon''}{\epsilon'} = \frac{1}{\omega RC},$$



a)



b)

Nuoseklios grandinës

$$\operatorname{tg} \delta = \frac{u_R}{u_C} = \omega R C.$$

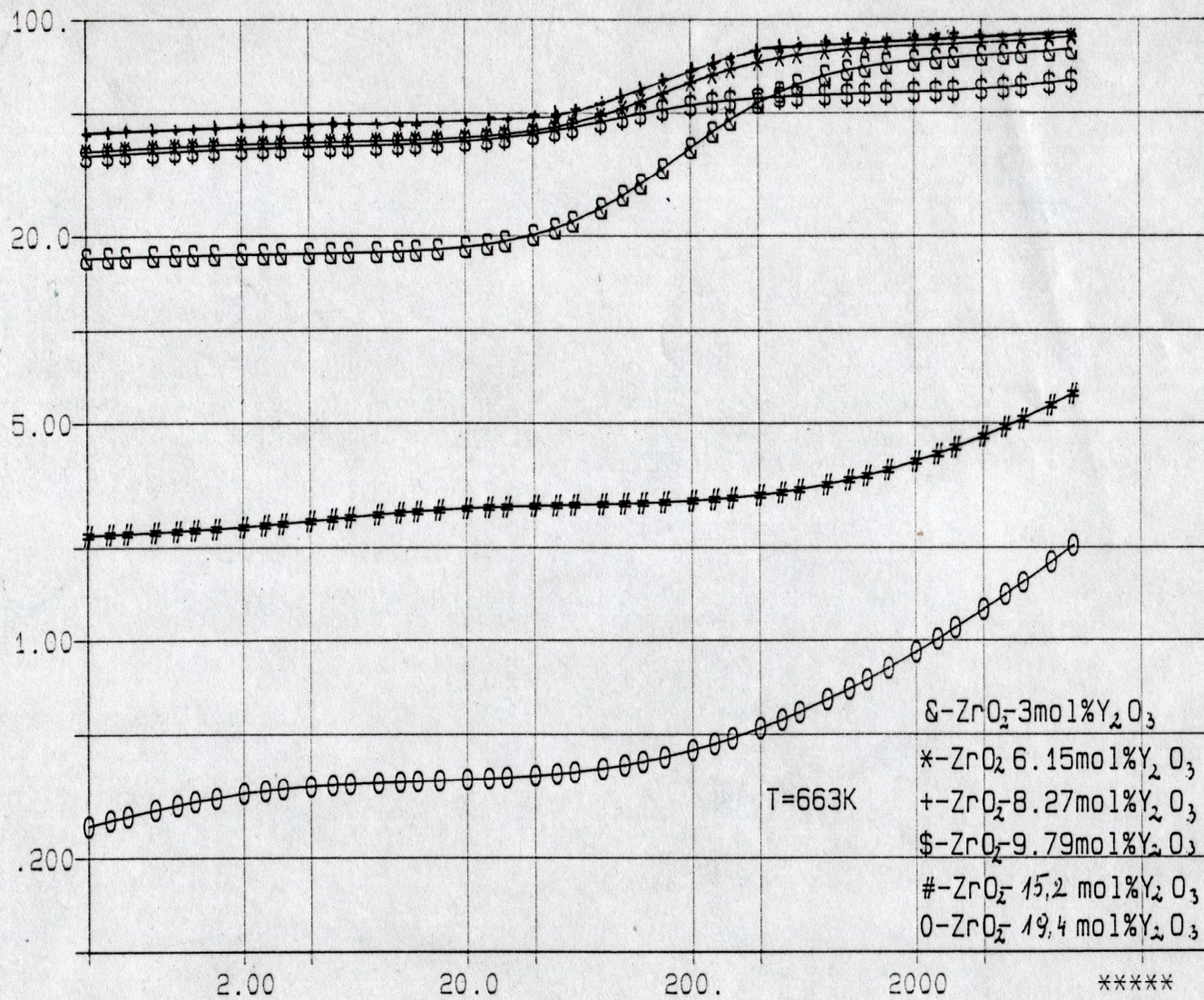
$$\varepsilon'' = \frac{\sigma}{\varepsilon_0 \omega} + \frac{(\varepsilon'_m - \varepsilon'_{j\infty}) \omega \tau'}{1 + (\omega \tau')^2}$$

$$\varepsilon' = \varepsilon'_{j\infty} + \frac{\varepsilon'_m - \varepsilon'_{j\infty}}{1 + (\omega \tau')^2}.$$

Pastarosios lygtys yra vadinamos Debajaus lygtimis. Joniniuose ir superjoniniuose kristaluose, kuriuose dominuoja vienaarūšiai joniniai migratoriai, turintys tą patį relaksacijos laiką

E-4,

σ_z , S/m

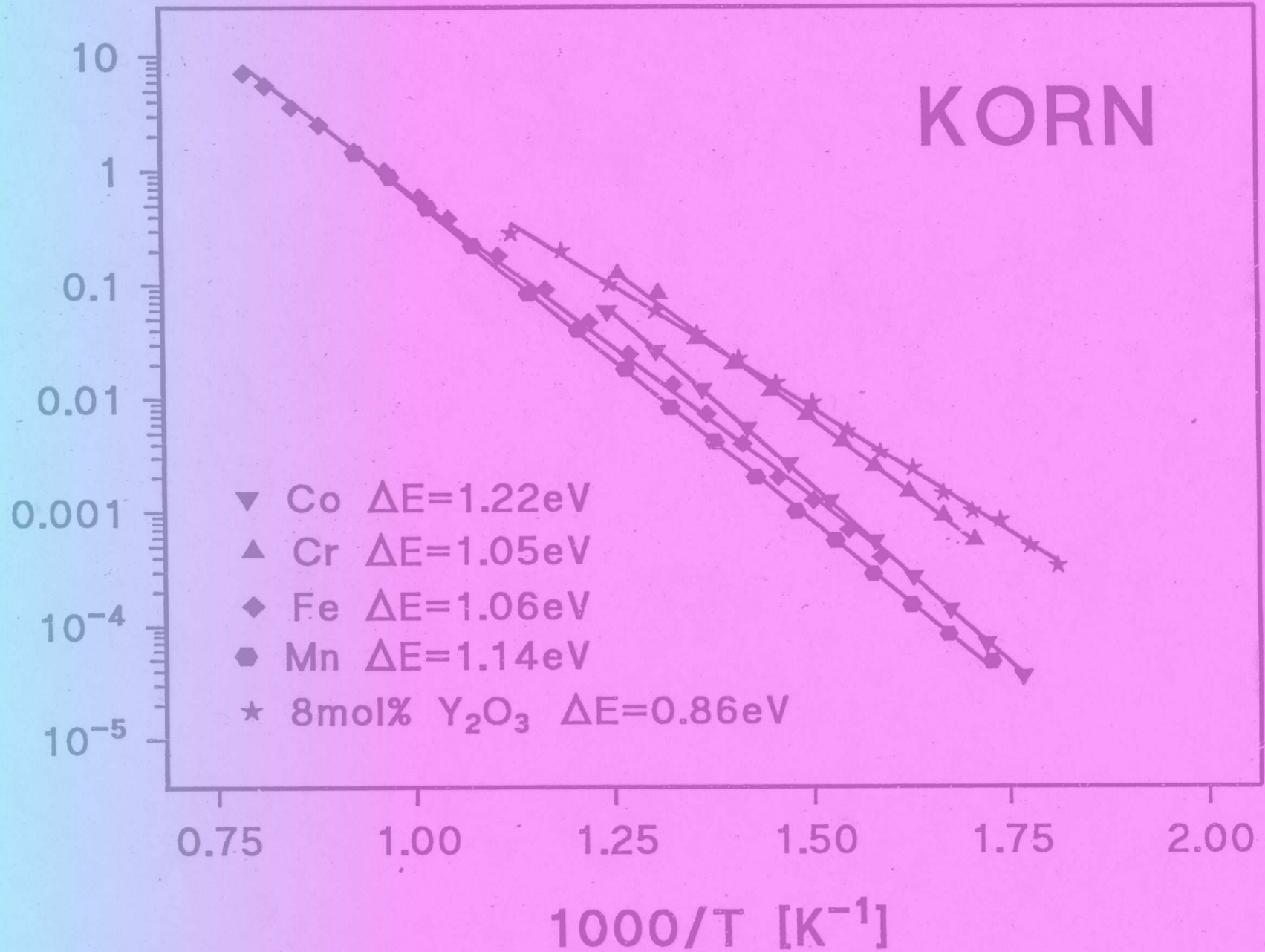


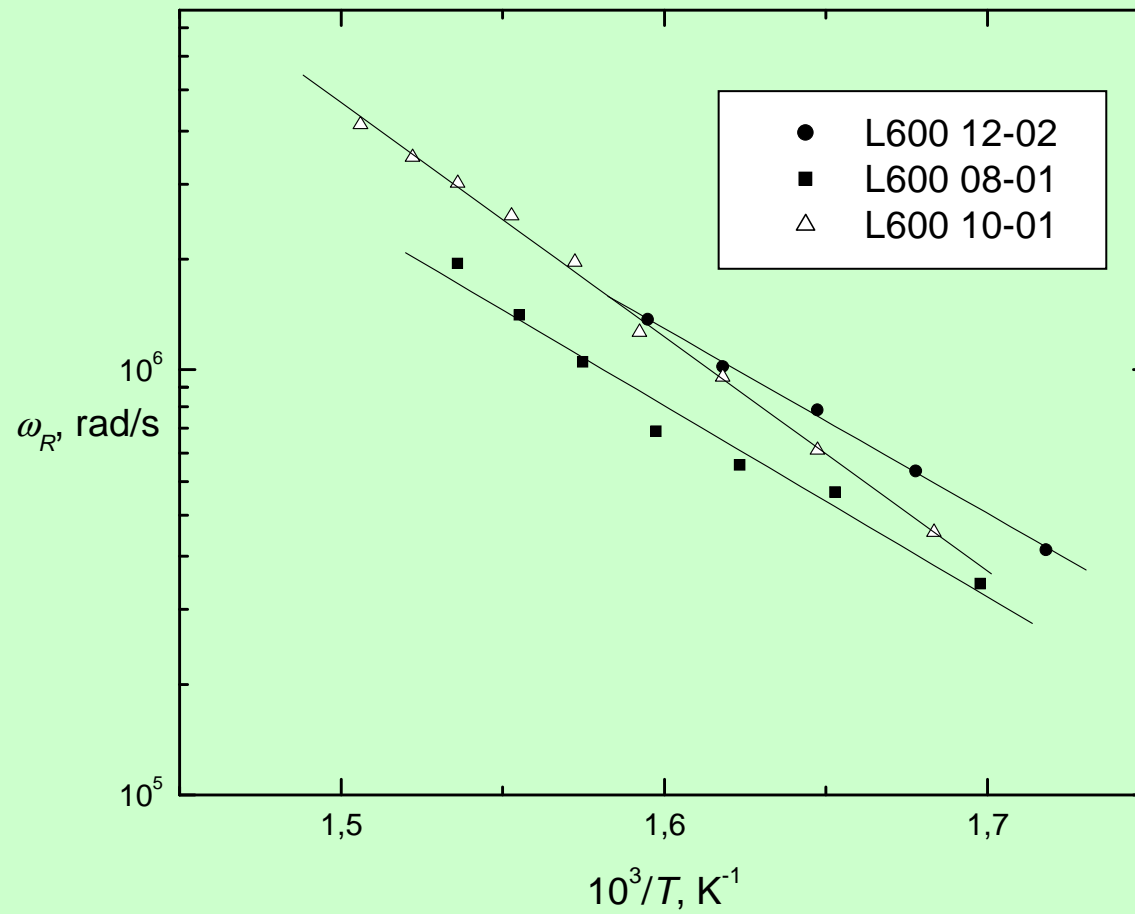
E 2 , f, Hz

$\text{ZrO}_2-8\text{Y}_2\text{O}_3 + 10 \text{ mol\% Me}_x\text{O}_y$

KORN

$\text{LOG } \sigma_b, \text{S}\cdot\text{m}^{-1}$





Temperature dependences of the relaxation frequency of the YSZ thin films deposited on alloy-600 substrate

The frequency of the relaxation dispersion increase with temperature according to formula

$$f_b = f_0 \exp\left(-\frac{\Delta E_f}{kT}\right),$$

where f_0 is frequency related to the lattice vibration. The ionic conductivity of the bulk is the product of the volume concentration of mobile Li^+ ions N , their electric mobility μ and the electric charge q :

$$\sigma_b = \mu N q.$$

$$\sigma_b = \left[N_0 \exp\left(-\frac{\Delta E_N}{kT}\right) \right] \cdot \left[\frac{C}{kT} \exp\left(-\frac{\Delta E_\mu}{kT}\right) \right] q,$$

$$\Delta E_N + \Delta E_\mu = \Delta E_b.$$

According to the Nernst-Einstein relation, the diffusion coefficient of mobile

$$\text{ions } D = \frac{\mu kT}{q}$$

exponentially increase with temperature according formula $D = D_0 \exp(-\Delta E_D / kT)$.

That means that the activation energy of Li^+ ion diffusion ΔE_D and migration ΔE_μ should be equal

$$\Delta E_D = \Delta E_\mu.$$

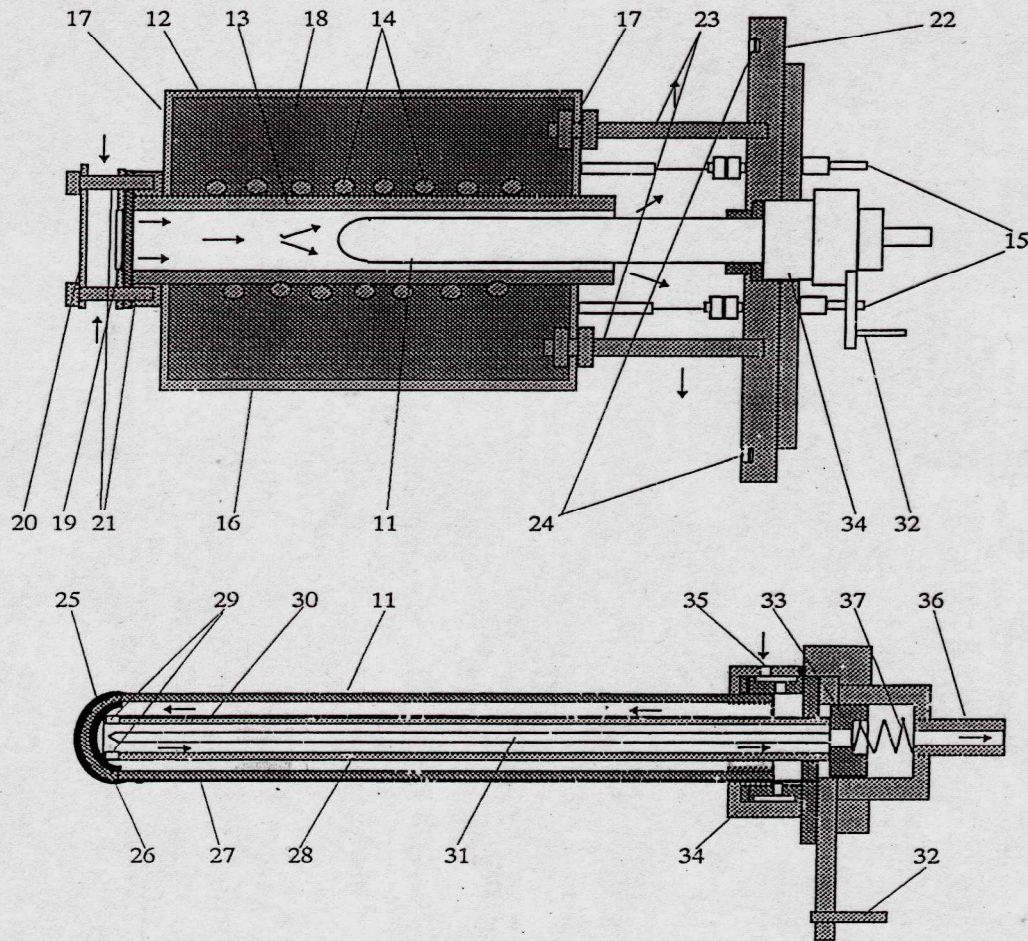
According to model of thermally activated ion jumps, which is realized in solid electrolytes, the lattice diffusion coefficient of mobile ions are related to the mean jump frequency ω_j by the expression:

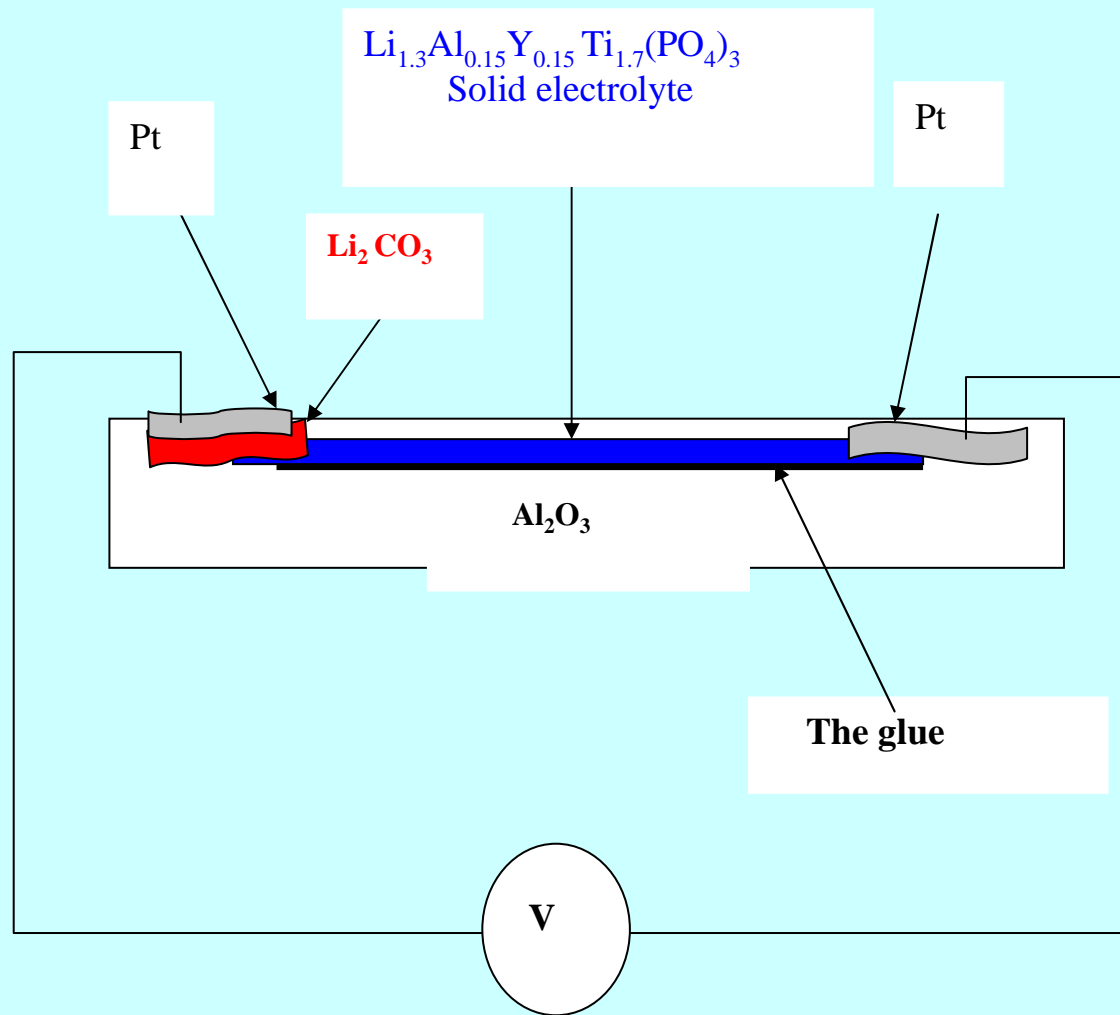
$$D = \chi l^2 \omega_j,$$

where $\omega_j = 2\pi f_b$ is the angular frequency, $\chi = 1/4$ is the geometric factor for two-dimensional conductivity path in the rhombohedral site symmetry, l^2 is the mean square jump and γ is the correlation factor, which depends on the definition and probability population of jump vectors. Since we have found that the activation energy the σ_b of the materials is equal to the activation energy of the f_b , which can be attributed to the migration of Li^+ ions in the bulk of the ceramic samples, the concentration of charge carriers remains constant with temperature.

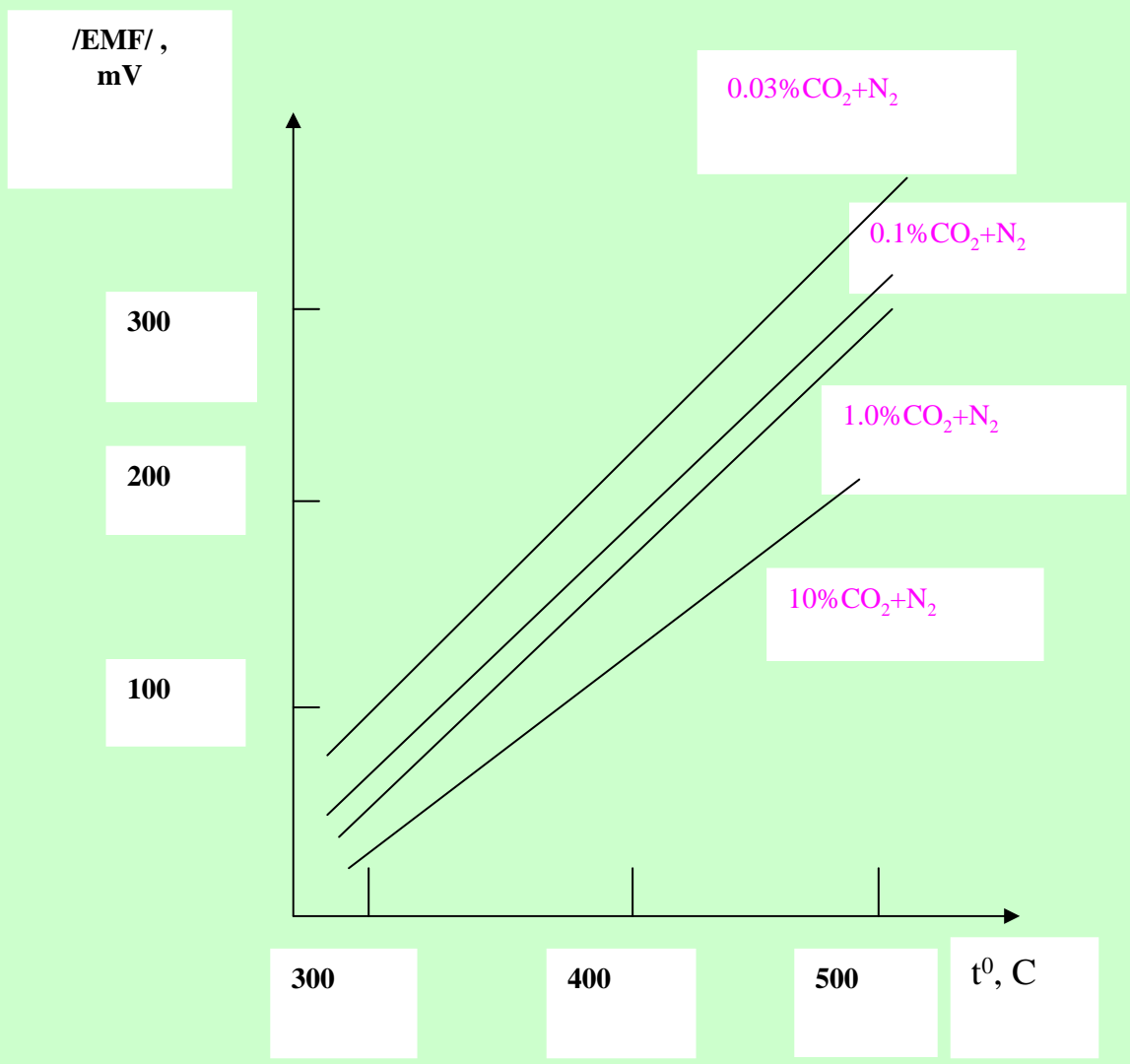
$$E = \frac{RT}{4F} \ln \frac{P_{O_2}'}{P_{O_2}''} ; F = 9.6487 \cdot 10^7 \text{ C/kg}$$

$$R = 8.3143 \cdot 10^3 \text{ J/K} \cdot \text{kmol}$$

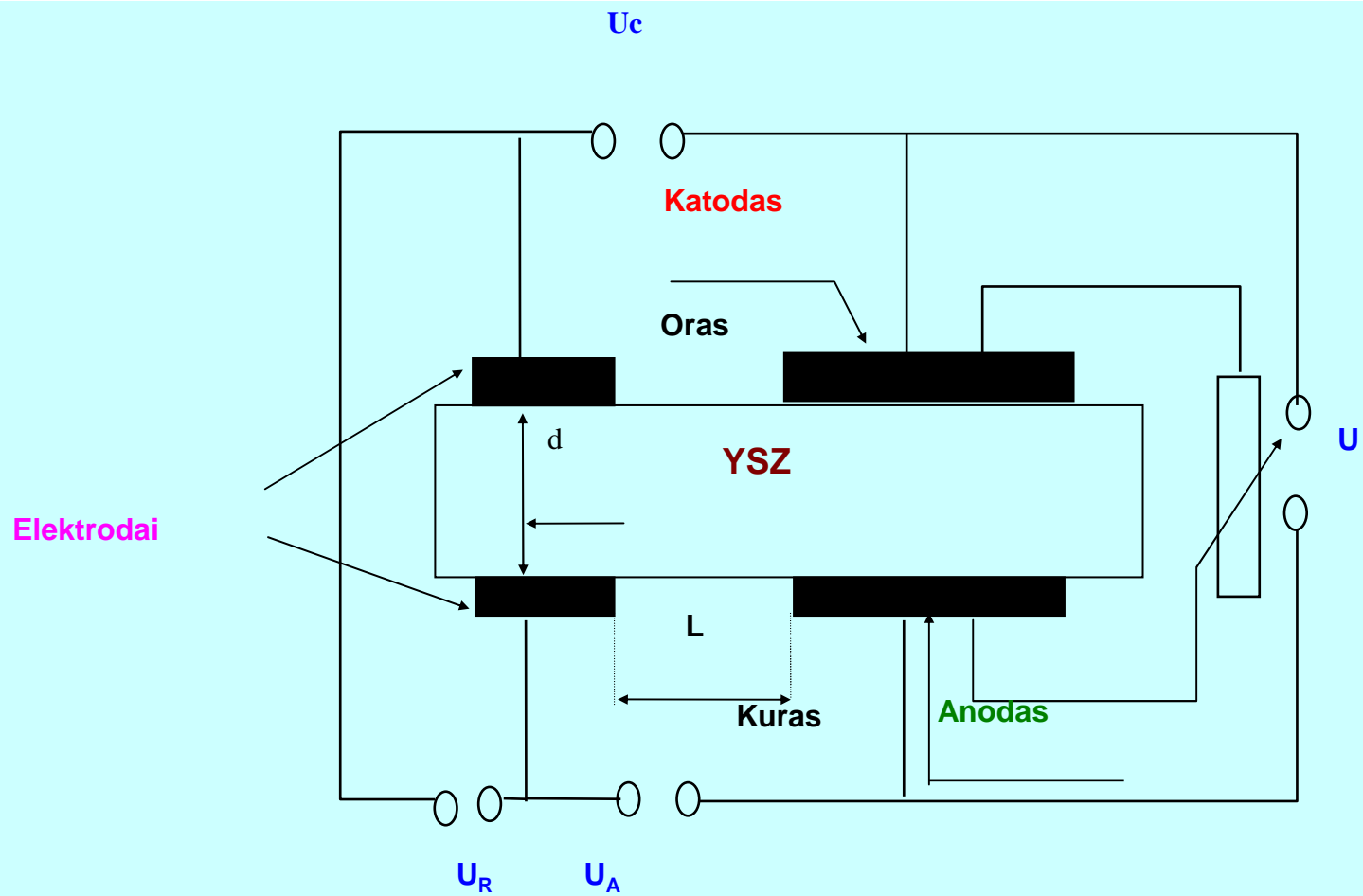




CO₂ dujų jutiklio struktūrinė schema



.CO₂ dujų jutiklio E-P-T charakteristikos



Kietojo elektrolito kuro gardelės struktūrinė schema

JAV SOFC PROGRAMOJE DIRBA:

1. NACIONALINIS KOMERCINIS STANDARTŲ IR TECHNOLOGIJŲ DEPARTAMENTAS
2. FEDERALINIS ENERGETIKOS TECHNOLOGIJŲ CENTRAS
3. GYNYBOS DEPARTAMENTAS
4. DUJŲ TYRIMO INSTITUTAS
5. ELEKTRINIŲ IŠTEKLIŲ TYRIMO INSTITUTAS
6. BERKLIO LAWRENCO LABORATORIJA
7. KALIFORNIJOS UNIVERSITETAS

VISŲ MINĖTŲJŲ ORGANIZACIJŲ ŠIUOS DARBUS FINANSUOJA:

1. CERAMATEC
2. ZTEK
3. TECHNOLOGIJŲ VALDYBOS
4. GIMINGŲJŲ SIGNALŲ AEROVISATOS KORPORACIJA

**AUSTRALIJOJE SOFC GAMINAMI KERAMIKINIŲ KURO GARDELIŲ
LABORATORIJOJE**

EUROPOJE:

**DIRBAMA ŠVEICARIJOJE, ANGLIJOJE, VOKIETIJOJE,
PRANCŪZIJOJE, DANIJOJE**

State-of-the-art SOFC

Unfortunately, the dominant SOFC developers aim at stationary applications. Such ceramic solutions are indeed heavy, sluggish, expensive and fragile and must be operated at high temperatures. But totally different SOFCs are presently developed for mobile applications. The following results, Table 1, have recently been presented:

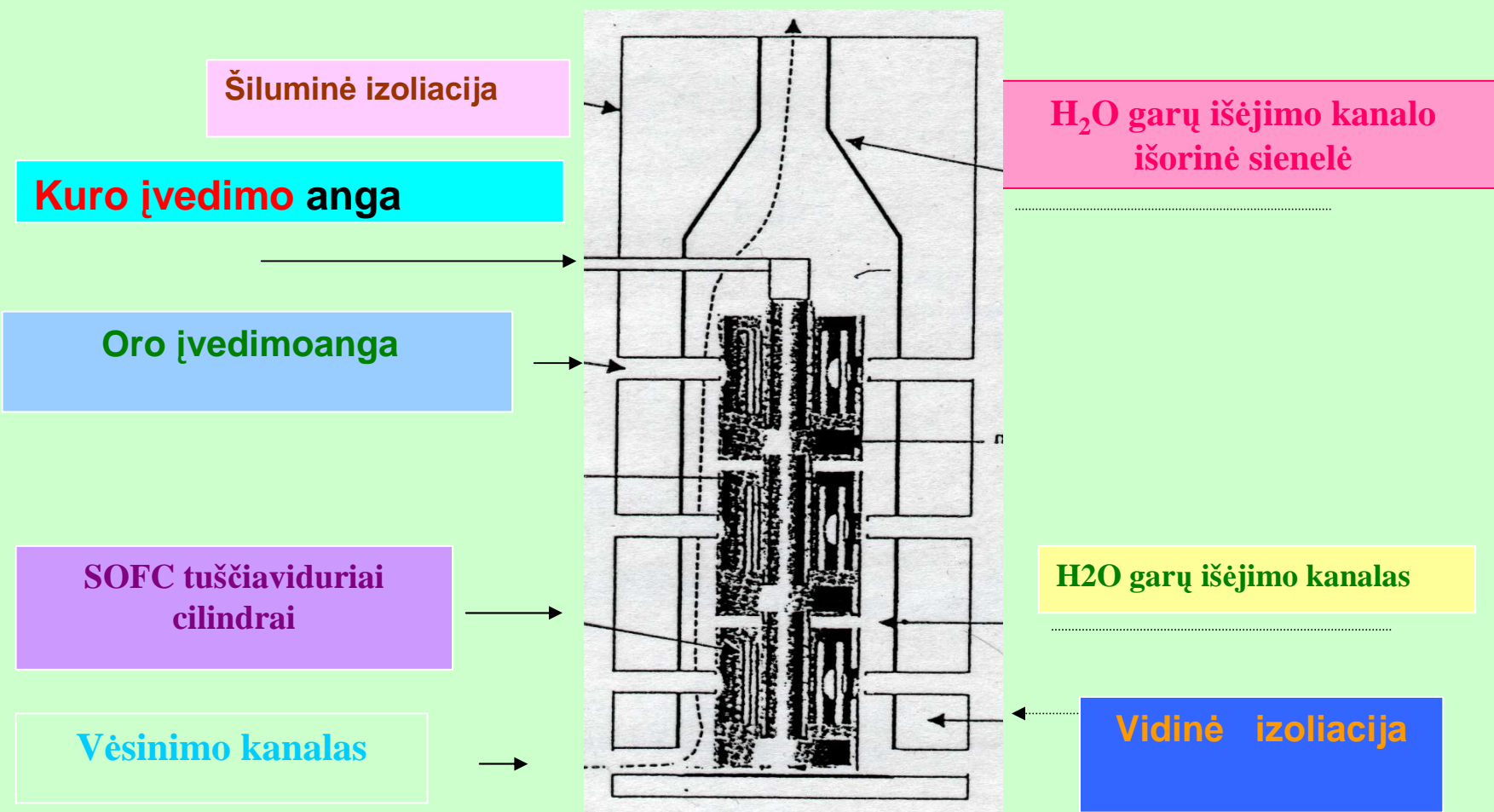
Table 1 Recent results reported by distinguished SOFC laboratories

Feature	Value	References
Power density at 800°C	1.935 W / cm ²	Berkeley Lawrence Lab. (2)
Stack power per volume	over 1 kW / L	Allied-Signal Aerospace (3)
Stack power per mass	over 1 kW / kg	Allied-Signal Aerospace (3)
Warm-up: to 800°C	1 minute	Keele University (4)
or „to operating temperature“	5 seconds	Keele University (5)
Cool-down, 1000 to 800°C	31 hours	Univ. of California (6)

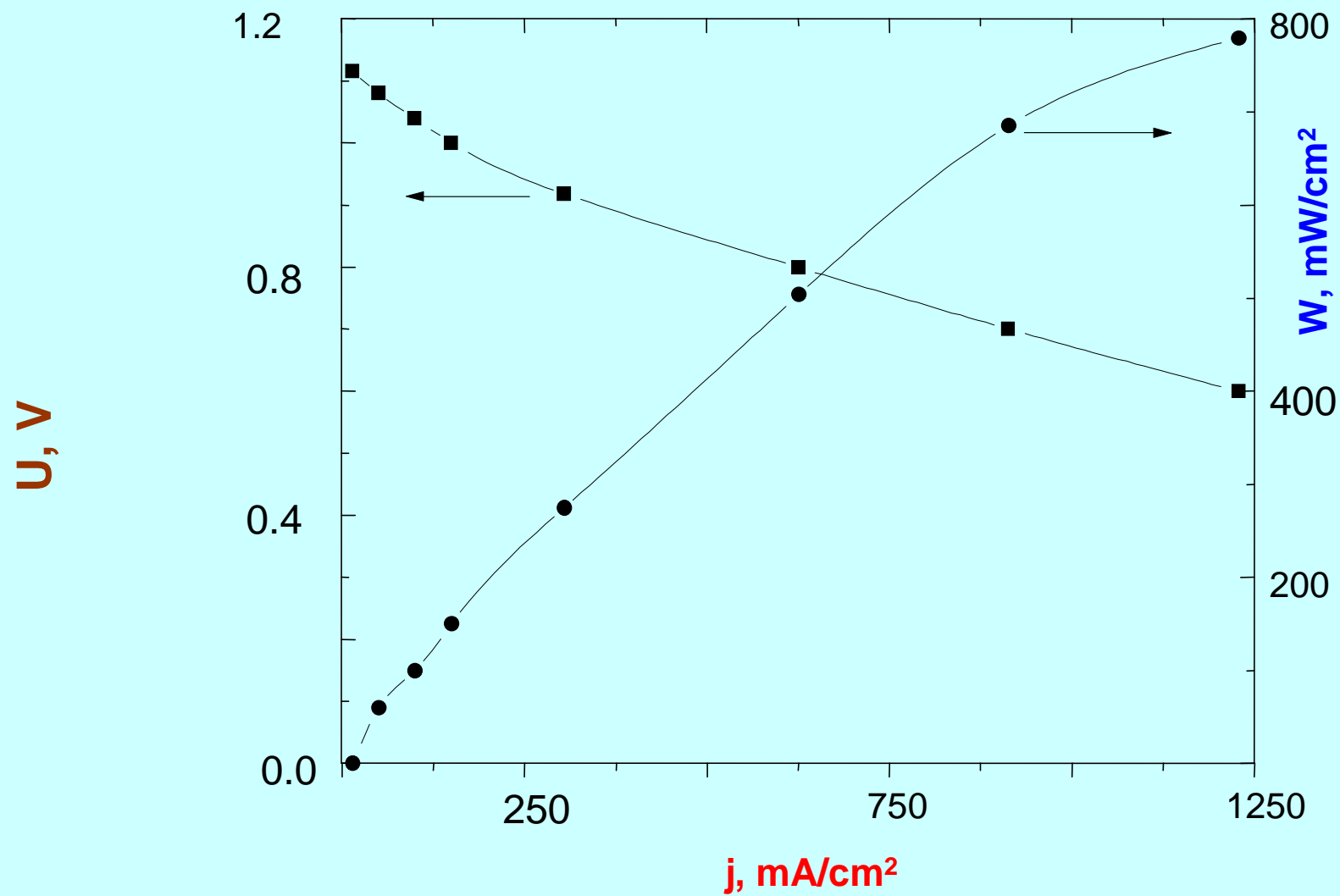
Although these results come from different laboratories, they illustrate the potentials of advanced SOFC technology: planar, hybrid (metal-ceramic), bipolar designs with thin (5 to 10 μm) supported ceramic electrolytes and operating temperatures between 650°C and 800°C. Such light weight, compact SOFCs are under development for automotive applications. Table 2 documents what can be expected in the near future:

Table 2 Projected trends of development of SOFCs for transportation

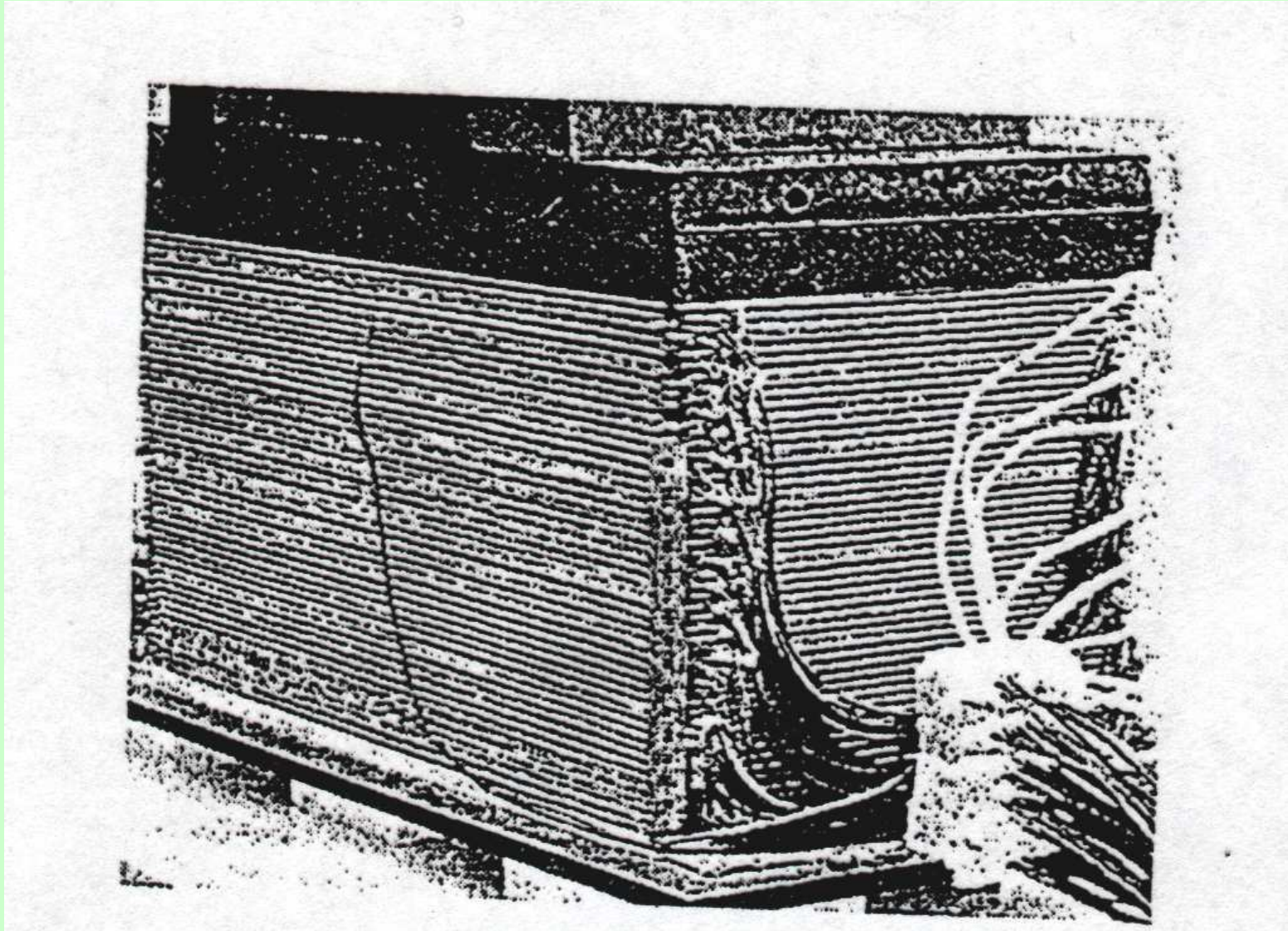
Features	Projections
Operating temperature	(550°C) 600°C to 800°C
Start-up (ambient to operating temp.)	less than 2 minutes
Stack power per volume	2 kW / L
Stack power per mass	2 kW / kg
Fuel	unleaded gasoline, diesel, Methanol
Reforming	integrated internal and in situ
Cooling	air, heat rejection by exhaust
Duty lifetime	5,000 hours



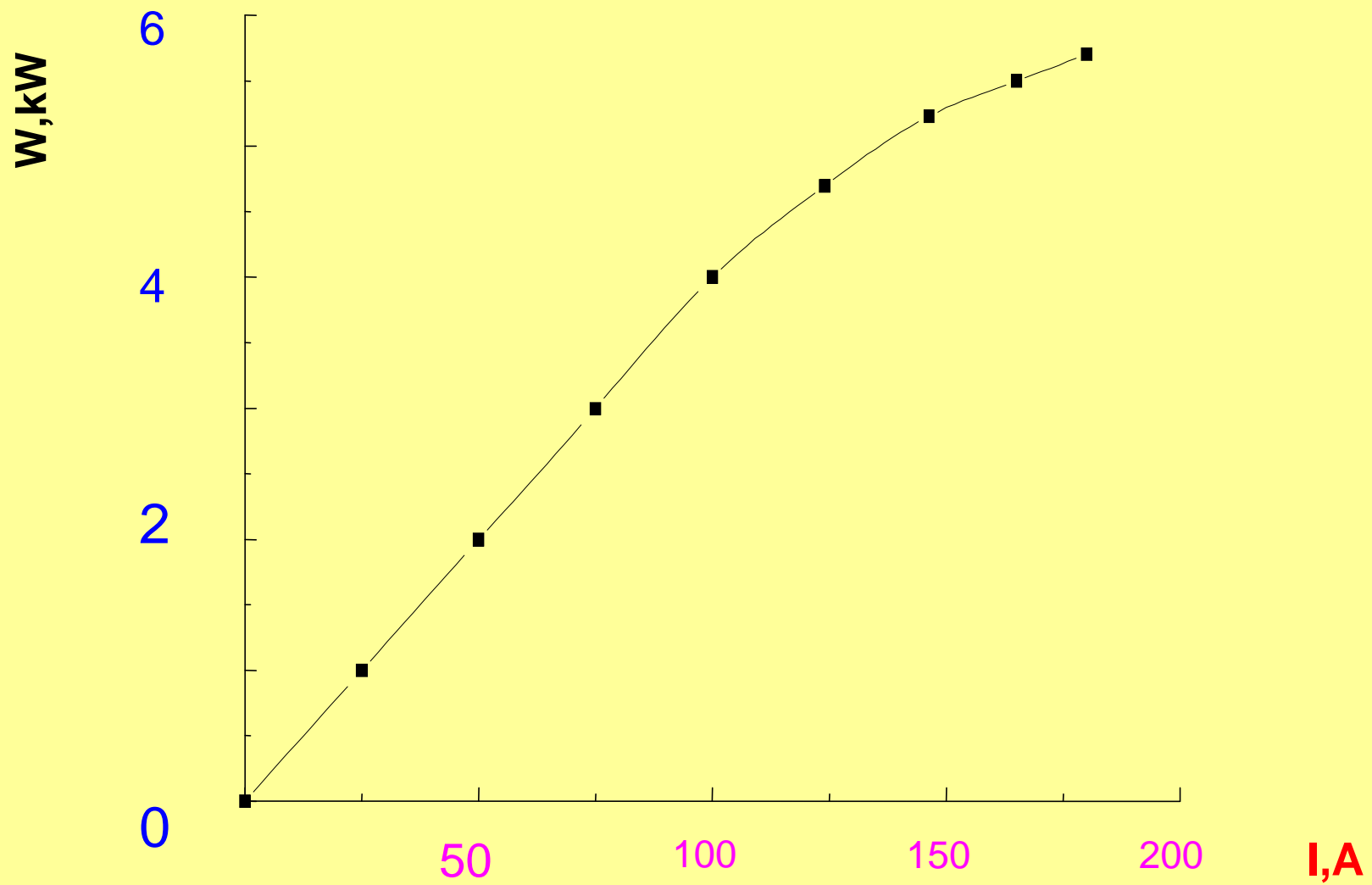
Cilindrinės formos SOFC modulis



Storasluoksnio SOFC $U - j - W$ charakteristikos



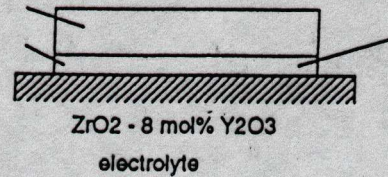
5kW SOFC modulus pagal S.P.S. Badwal ir K. Foger



SOFC W – I charakteristika 1203 K temperatūroje

The first approach: Thermodynamically stable mixed conducting composite

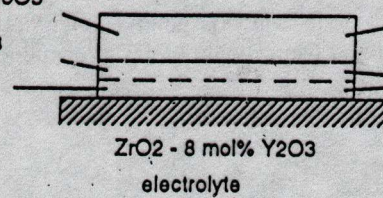
In_2O_3 - 10 mol% ZrO_2
 In_2O_3 - 30 mol% ZrO_2



Thermodynamically stable
mixed conducting composite
cathode oxide / electrolyte oxide

The second approach: Multi-layer composite

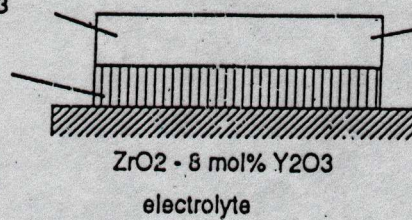
$\text{La}_{0.5}\text{Sr}_{0.5}\text{CoO}_3$
 $\text{La}_{0.5}\text{Sr}_{0.5}\text{Co}_{0.5}\text{Mn}_{0.5}\text{O}_3$
 $\text{La}_{0.85}\text{Sr}_{0.15}\text{MnO}_3$



mixed conducting oxide
intermediate layers

The third approach: Concentration gradient cathode/electrolyte composite

$\text{La}_{0.5}\text{Sr}_{0.5}\text{CoO}_3$
Mixture of LSC +
 ZrO_2 - 8 mol% Y_2O_3



mixed conductor

	Electronic conductivity (S/m)			Ionic conductivity (S/m)	Thermal expansion coefficient ($10^{-6} \cdot K^{-1}$) (R.T.-900°C)
	950°C	900°C	800°C		
$La_{0.85}Sr_{0.15}MnO_3$	1.4×10^4	1.4×10^4	1.4×10^4	10^{-5} (900°C) [12]	11.7
$InO_{1.5}$ -30mol% ZrO_2	1.2×10^4	1.1×10^4	1.0×10^4	1 (900°C) [20,21]	10.1 [17]
$InO_{1.5}$ -5mol% SnO_2	5.4×10^4	5.3×10^4	5.4×10^4	5×10^{-1} (723°C) [18,22]	9 [23]
$La_{0.5}Sr_{0.5}CoO_3$	3.4×10^4	3.8×10^4	4.4×10^4 4.7×10^4 [5]	8×10^1 (900°C) [12] ($La_{0.6}Sr_{0.4}CoO_3$)	22.0
$La_{0.3}Sr_{0.7}CoO_3$	-	-	4×10^4 [5]		15.6
$La_{0.7}Sr_{0.3}CoO_3$	-	-	3×10^4 [5]		18.3
$La_{0.8}Sr_{0.2}Co_{0.8}Fe_{0.2}O_{3-\delta}$	-	2×10^4 [24]	2×10^4 [24]	1×10^1 (800°C) [24]	18.4
$La_{0.2}Sr_{0.8}Co_{0.8}Fe_{0.2}O_{3-\delta}$	5.6×10^3	6.3×10^3	8.1×10^3 1.5×10^4 [24]	1×10^3 (800°C) [16] 1×10^2 (800°C) [24]	24.0
ZrO_2 -8mol% Y_2O_3	-	-	-	11.5 (950°C) 8.57 (900°C) 3.75 (800°C)	10.5 [17]

Anodes Ni/YSZ

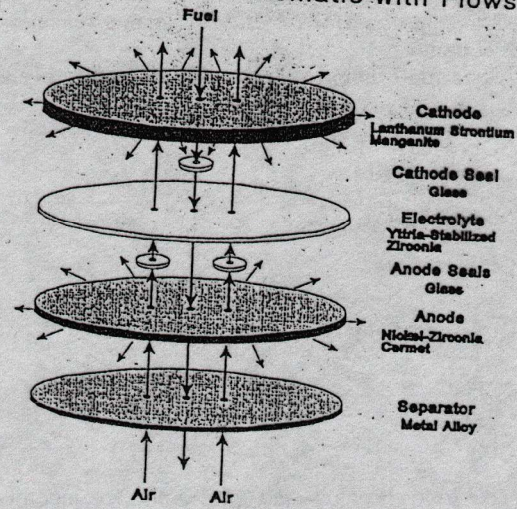
Table 2: In-plane resistivity of cathode layers (Ω)@

Materials (cathode thickness#)	Co-sintering temperature		
	1000°C	1100°C	1200°C
$La_{0.85}Sr_{0.15}MnO_3$ (50 μ m)	5000	2000	500
90 $InO_{1.5}$ -10mol% ZrO_2 (50 μ m) /70 $InO_{1.5}$ -30mol% ZrO_2 (15 μ m)	-	-	20 (co-sintered at 1375°C)
$La_{0.5}Sr_{0.5}CoO_3$ (50 μ m)	600	60	30
$La_{0.5}Sr_{0.5}CoO_3$ (15 μ m) / $La_{0.5}Sr_{0.5}Mn_{0.5}Co_{0.5}O_3$ (15 μ m) / $La_{0.85}Sr_{0.15}MnO_3$ (15 μ m)	-	10000	-
$La_{0.5}Sr_{0.5}CoO_3$ (50 μ m) /LSC+8Y- ZrO_2 layer (15 μ m)	8000	60000	4000000

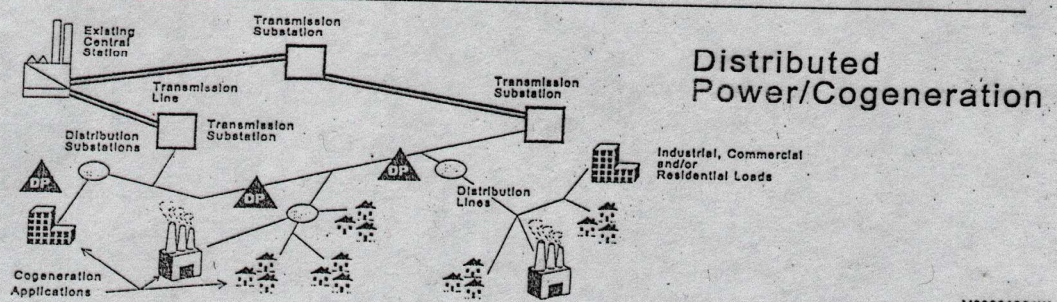
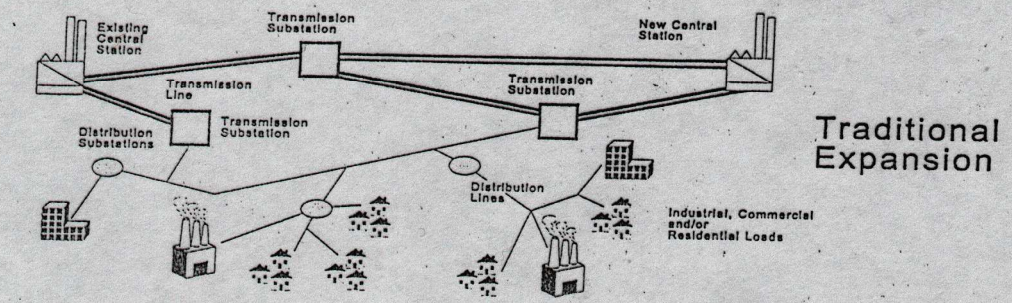
@2-wire method, point contact with a distance of 2.7 mm

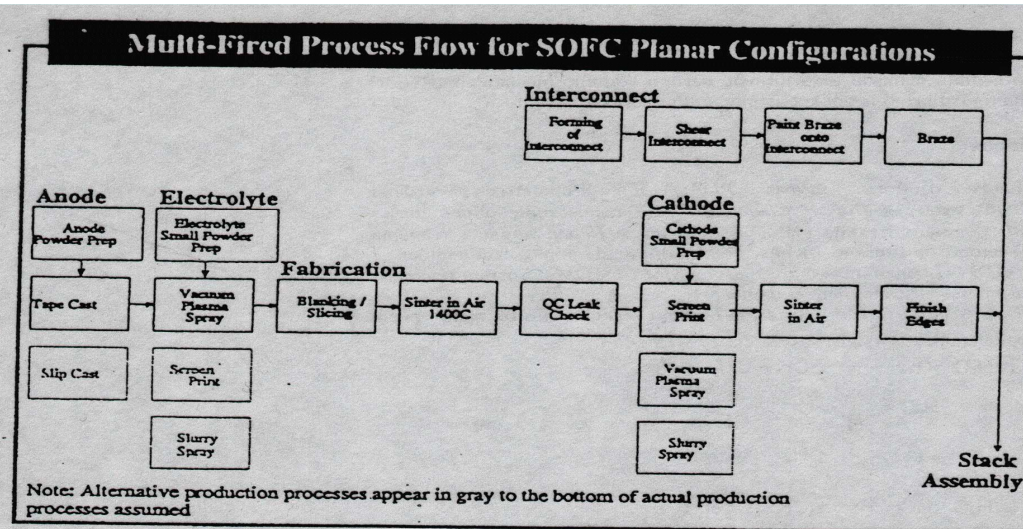
#Cathode thickness before sintering are given.

IRF SOFC Exploded Schematic with Flows



New Power Generation Options





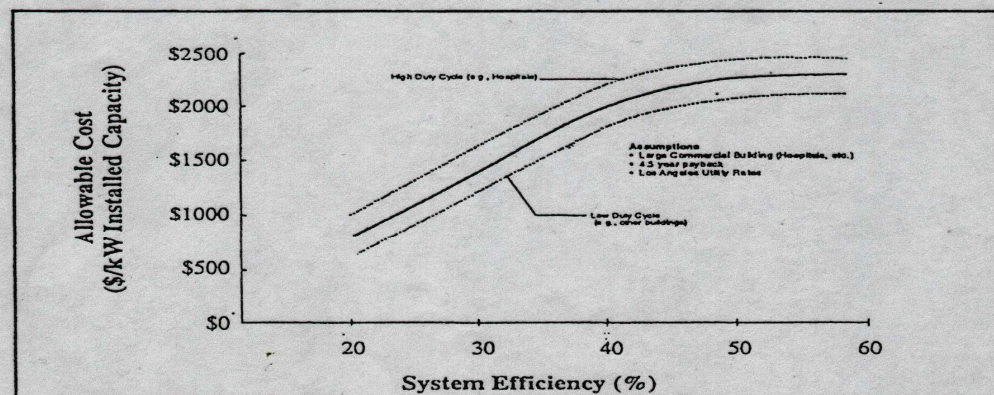
Example of manufacturing process description.

Market Segment		Typical Capacity	Allowable Installed Cost ¹ (\$/kW)	
			Entry ²	Sustained ²
On-site	Commercial Cogeneration	50 kW - 2 MW	\$1,500 - 2,000	\$800 - 1,300
	Industrial Cogeneration	5 - 200 MW	\$1,000 - 1,200	\$800 - 1,000
	Residential Power	0.5 - 10 kW	\$1,000 - 2,500	\$800 - 1,000
Utility	Distributed Power	5 - 20 MW	\$1,300 - 1,500	\$800 - 1,300
	Central Station	100 - 500 MW	\$900 - 1,100	\$700 - 900

¹ Total installed system costs, including all owners costs. Targets apply widely to industrialized country markets. Costs have been calculated based on a range of electricity and gas rate structures. Allowable costs for hydrogen fueled systems would be considerably lower as merchant hydrogen prices are typically 2-3 times as high as natural gas.

² "Entry" costs are based on early high value markets. "Sustained" costs must be realized to achieve significant market penetration.

Summary characterization of potential stationary power markets



Impact of system efficiency on allowable system cost.

Chronology of Solid Electrolyte Cells

Date	Electrolyte	Log (S/cm)	Typical Cell System
1950-60	AgI	-5	Ag/V ₂ O ₅
1960-65	Ag ₃ SI	-2	Ag/I ₂
1965-72	RbAg ₄ I ₅	-0.5	Ag/Me ₄ NI ₅
1965-75	Beta-alumina	-1.5	Na-Hg/I ₂ , PC
1970-75	LiI(Al ₂ O ₃)	-5	Li/PbI ₂
1970-80	LiI	-7	Li/I ₂
1978-85	LiX-PEOb	-7	Li/V ₂ O ₅
1980-86	Li _{0.36} I _{0.14} O _{0.007} P _{0.11} S _{0.38}	-3.3	Li/TiS ₂
1983-87	MEEP ^c	-4	Li/TiS ₂
1985-92	Plasticized SPE ^d	-3	Li/V ₆ O ₁₃
1985-92	Li _{0.35} I _{0.12} O _{0.31} P _{0.12} S _{0.098}	-4.7	Li/TiS ₂
1990-92	Li _{0.39} N _{0.020} O _{0.47} P _{0.12}	-5.6	Li/a-V ₂ O ₅

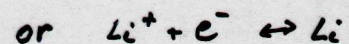
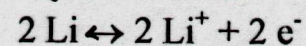
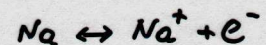
PEO - Polyethylene oxide

MEEP - methoxyethoxytyoxy polyphosphazene

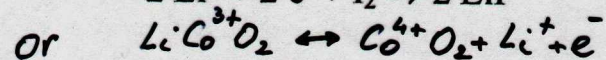
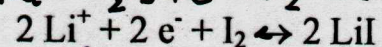
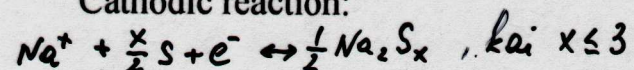
SPE - solid polymer electrolyte

CHEMICAL REACTIONS IN SSB

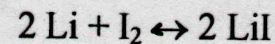
Anodic reaction:



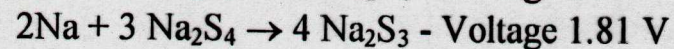
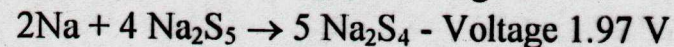
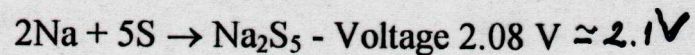
Cathodic reaction:



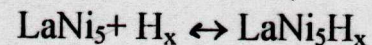
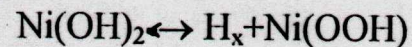
Total reaction:

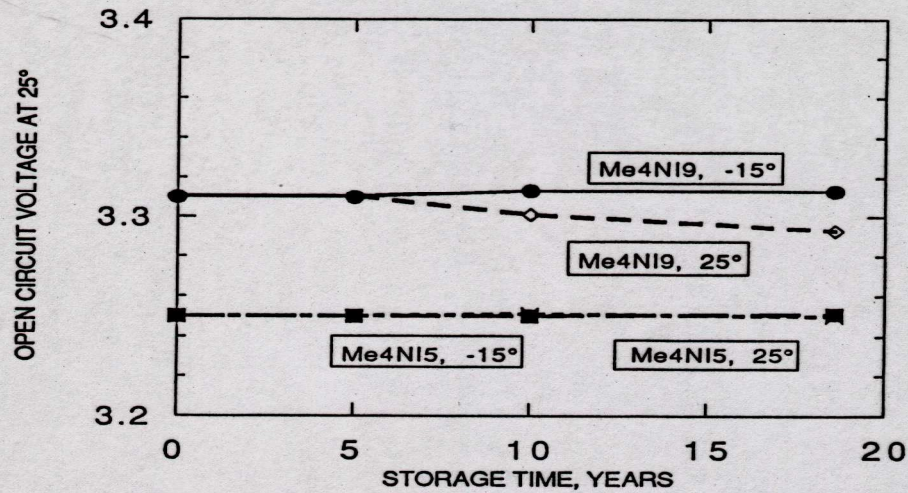


The chemical reactions in the Na/S superionic batteries:

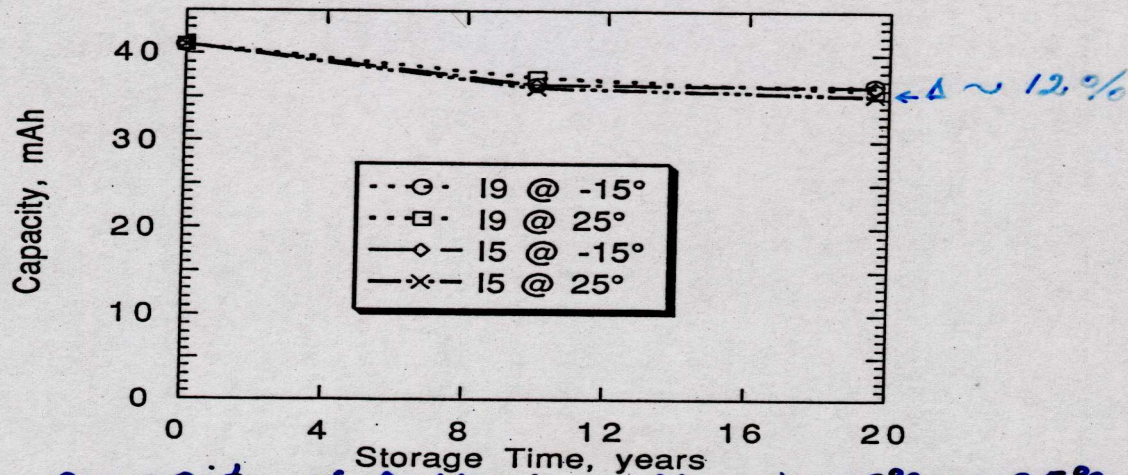


The chemical reactions in the Ni-MH cell

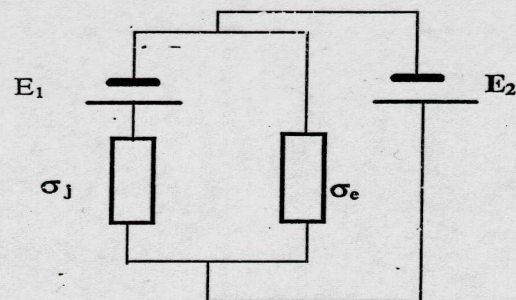
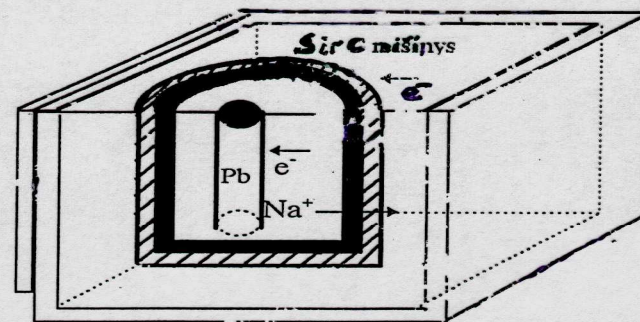
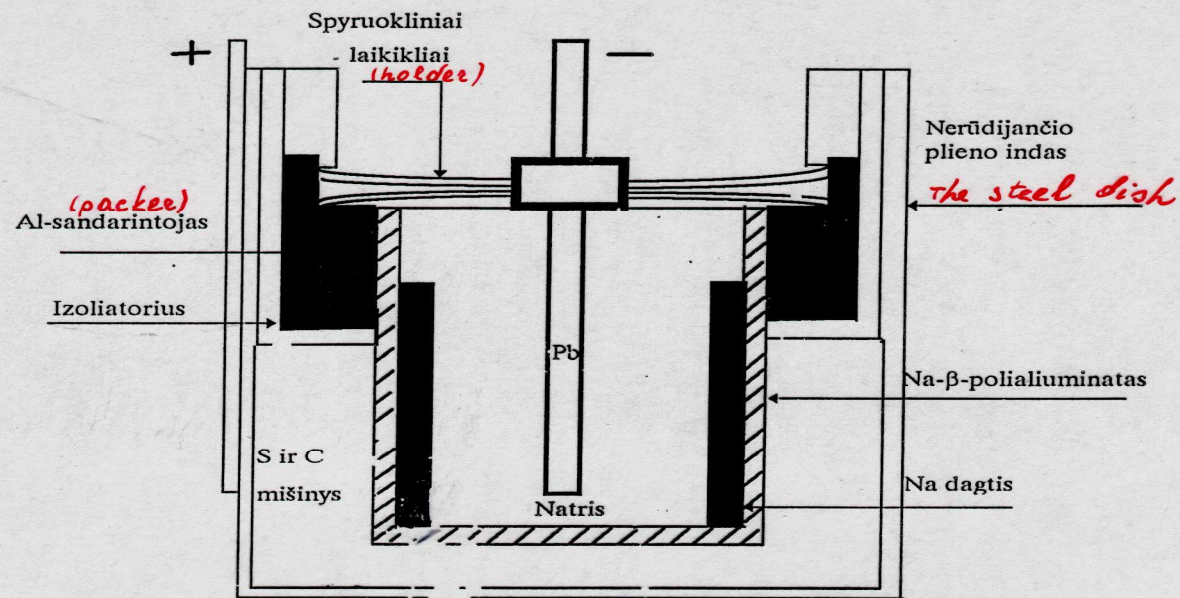




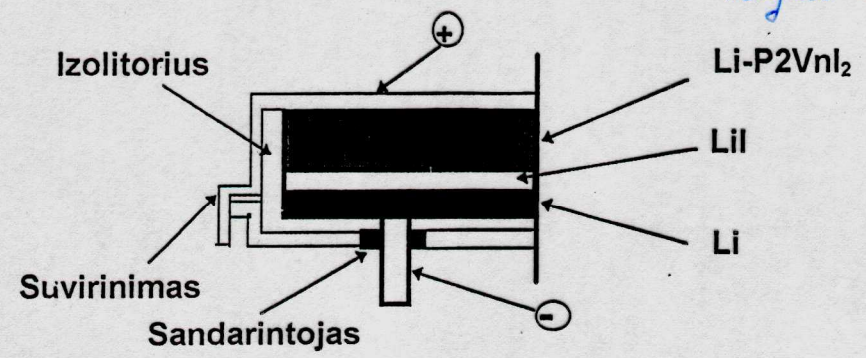
Open circuit voltage of Ag/I₂ batteries as function of storage time



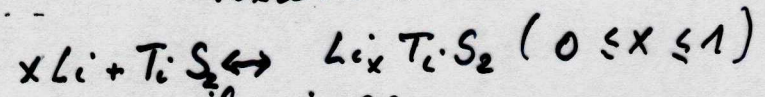
Capacity of batteries after $t = -15^\circ$ or 25° storage (I₉ - Ag/Me₄NI₉, I₅ - Ag/Me₄NI₅). Batteries were discharged at 25° and 60°C, at a constant load of 64,9 kΩ (30 day rate)



Poly-2 vinylpyridinium I₂ complex

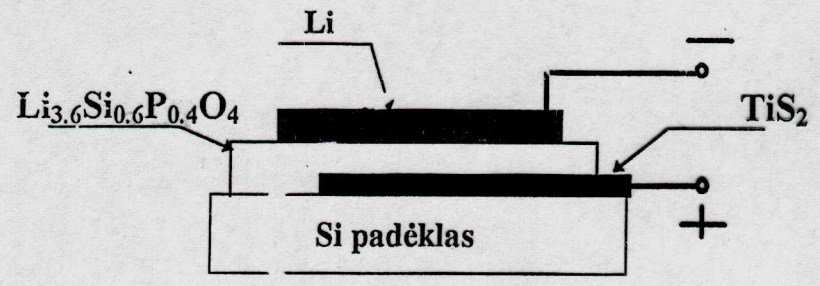


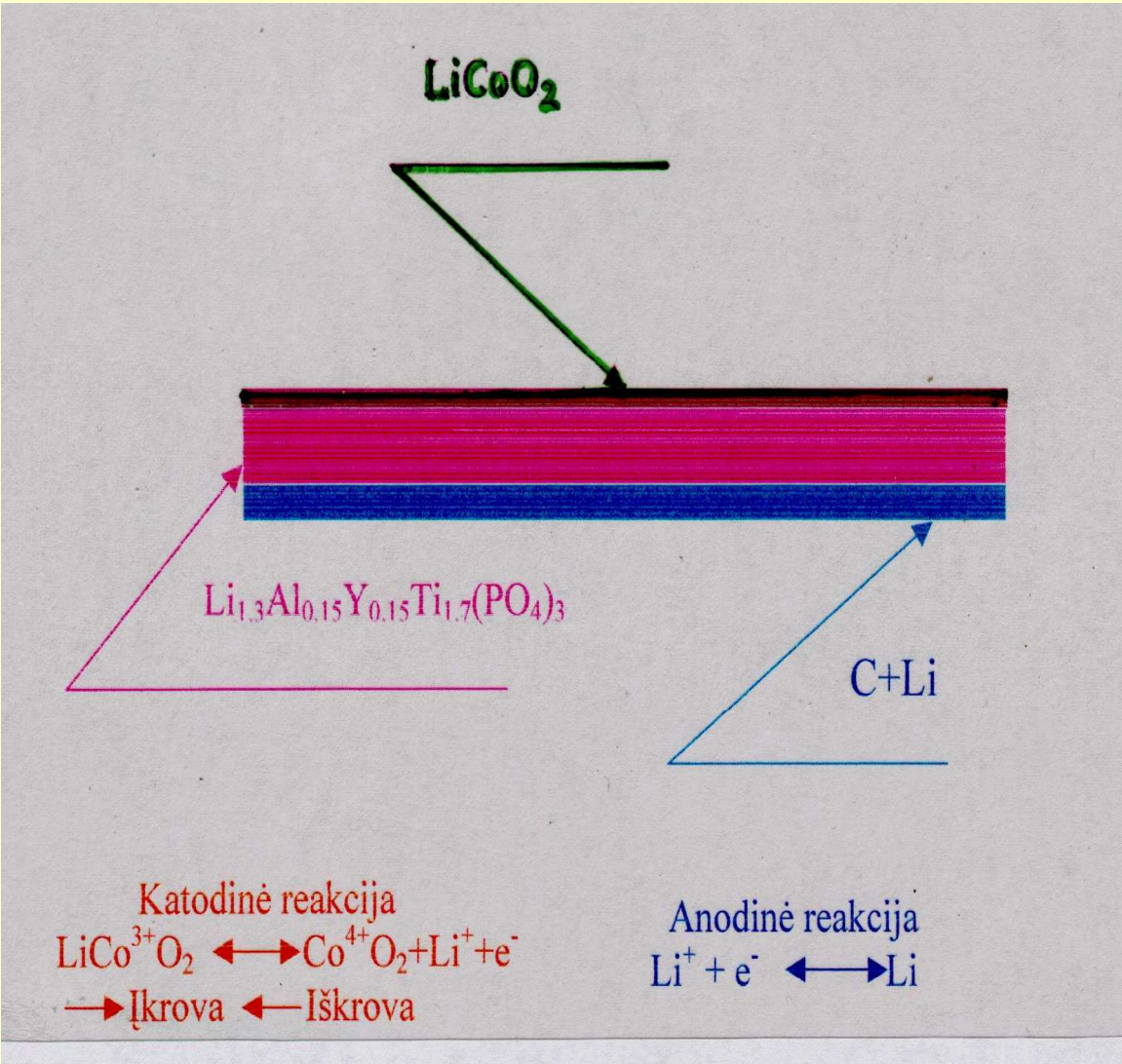
iškrovimas

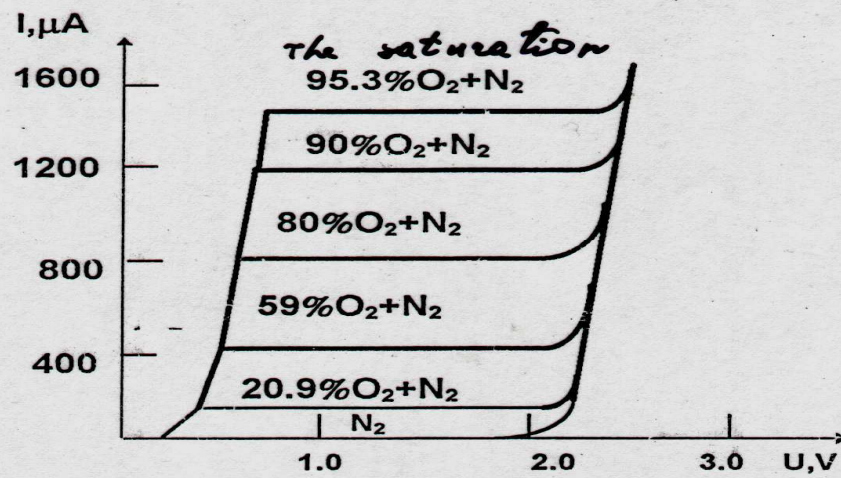
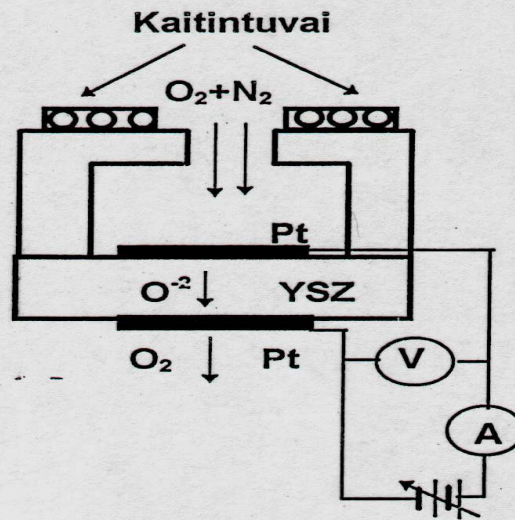


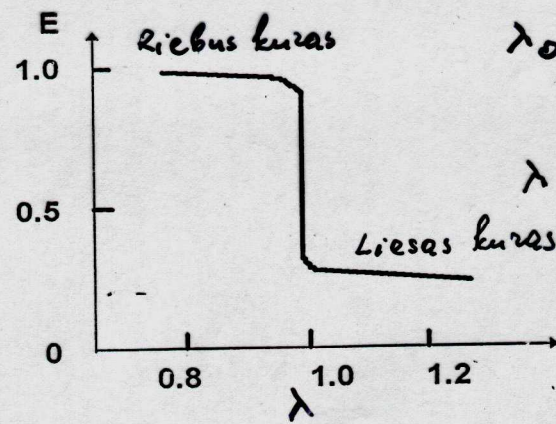
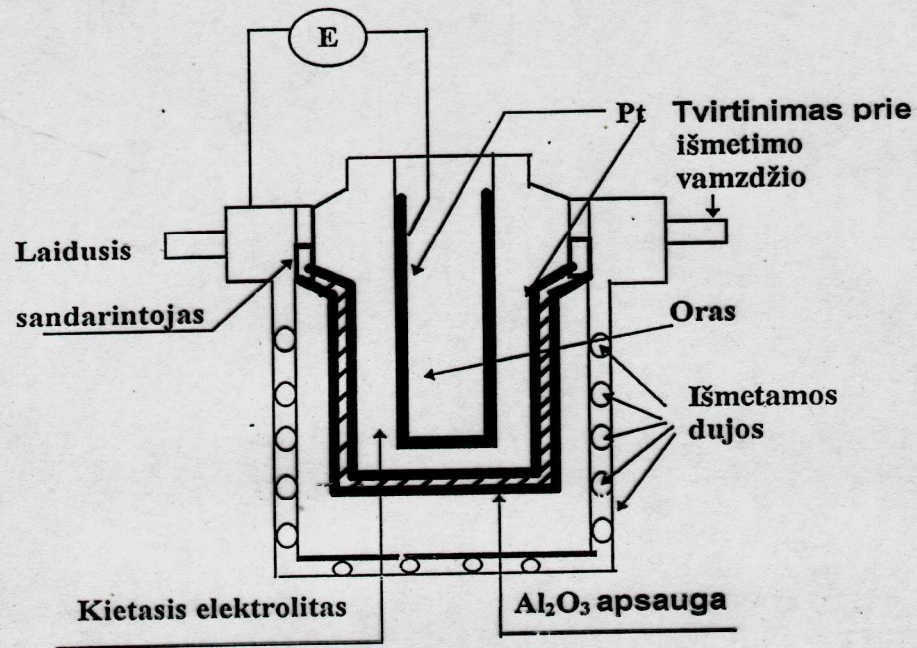
iškrovimas

storis d = 40 μm





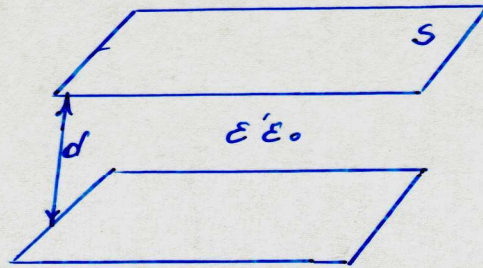




$$\lambda_0 = \frac{A_{iz}}{Fuel} = 13.7 \frac{\text{g}}{\text{g}}$$

$$\lambda = (A/F) / \lambda_0$$

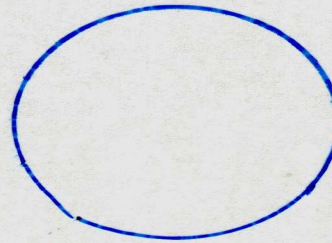
Plakšciojo kondensatoriaus talpa



$$C = \frac{\epsilon \epsilon_0 S}{d}$$

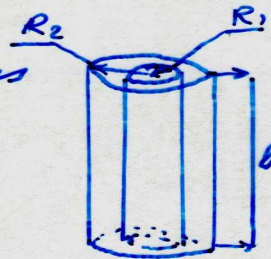
Rutulio talpa

$$C = 4\pi \epsilon \epsilon_0 R$$



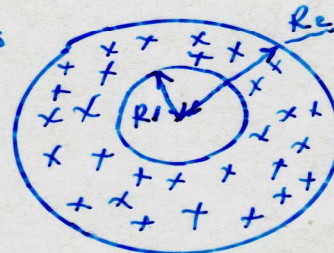
Cilindrinio kondensatoriaus talpa

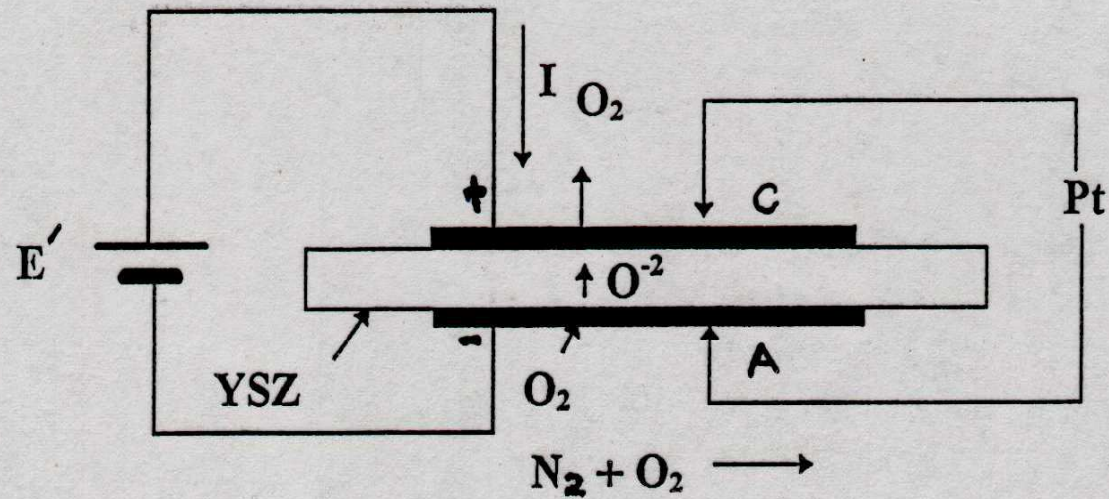
$$C = \frac{2\pi \epsilon \epsilon_0 l}{\ln\left(\frac{R_2}{R_1}\right)}$$



Sferinio kondensatoriaus talpa

$$C = 4\pi \epsilon \epsilon_0 \frac{R_1 R_2}{R_2 - R_1}$$





$$v \approx I/4F ; \quad F \approx 9.65 \cdot 10^7 \text{ C/kg-e} \cdot v$$

$$T = 298 \text{ K} ; \quad p = 1 \text{ atm} , \quad I = 1 \text{ A}$$

$$v = 3 \text{ mL/min}$$